

JOON-BIN LEE

Search for new physics inside jets using non-isolated leptons

INFORMATION

Meeting Title: 2023 SNU-NAPP workshop

Date: 2023.03.29

CONTACT

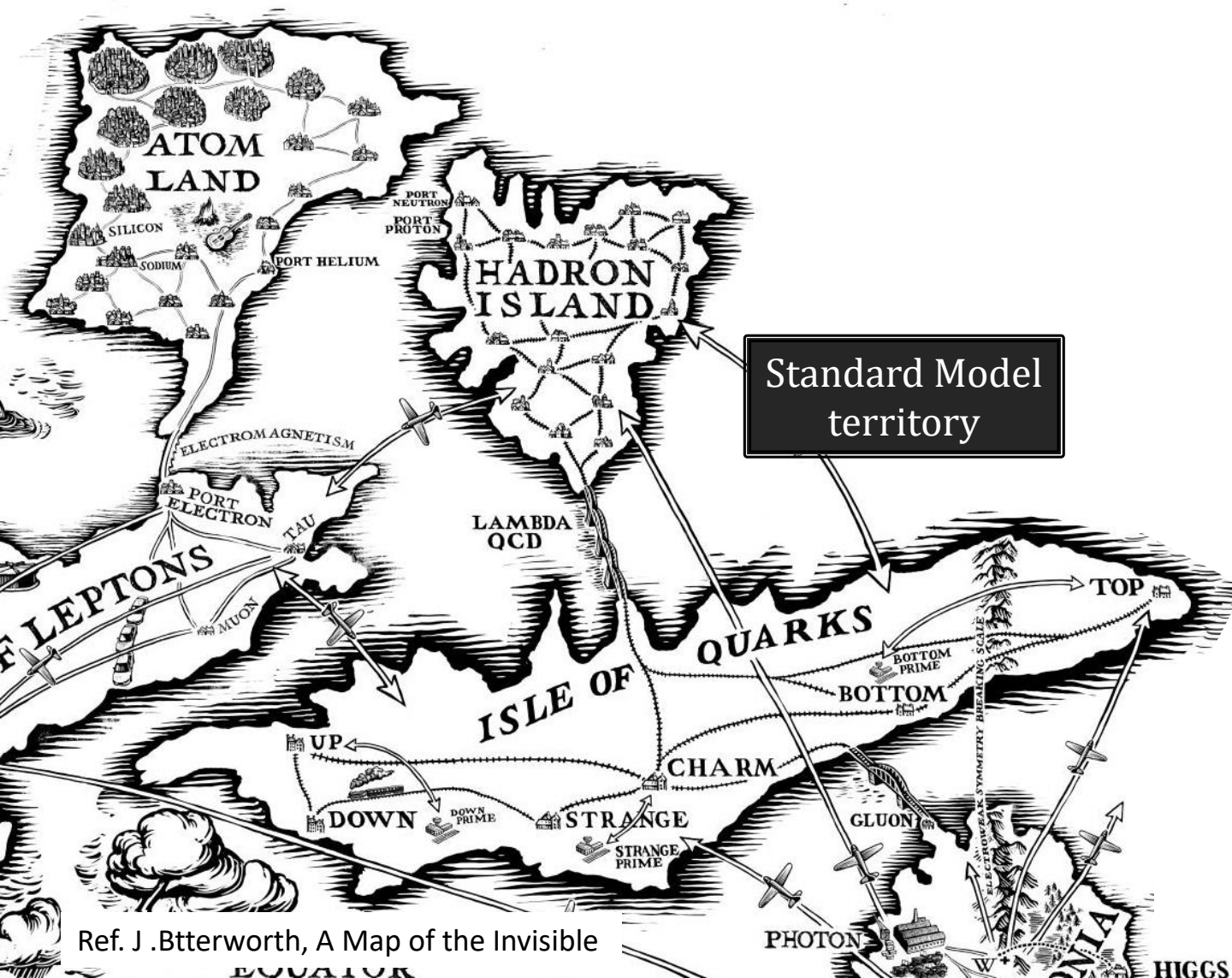
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PROFILE

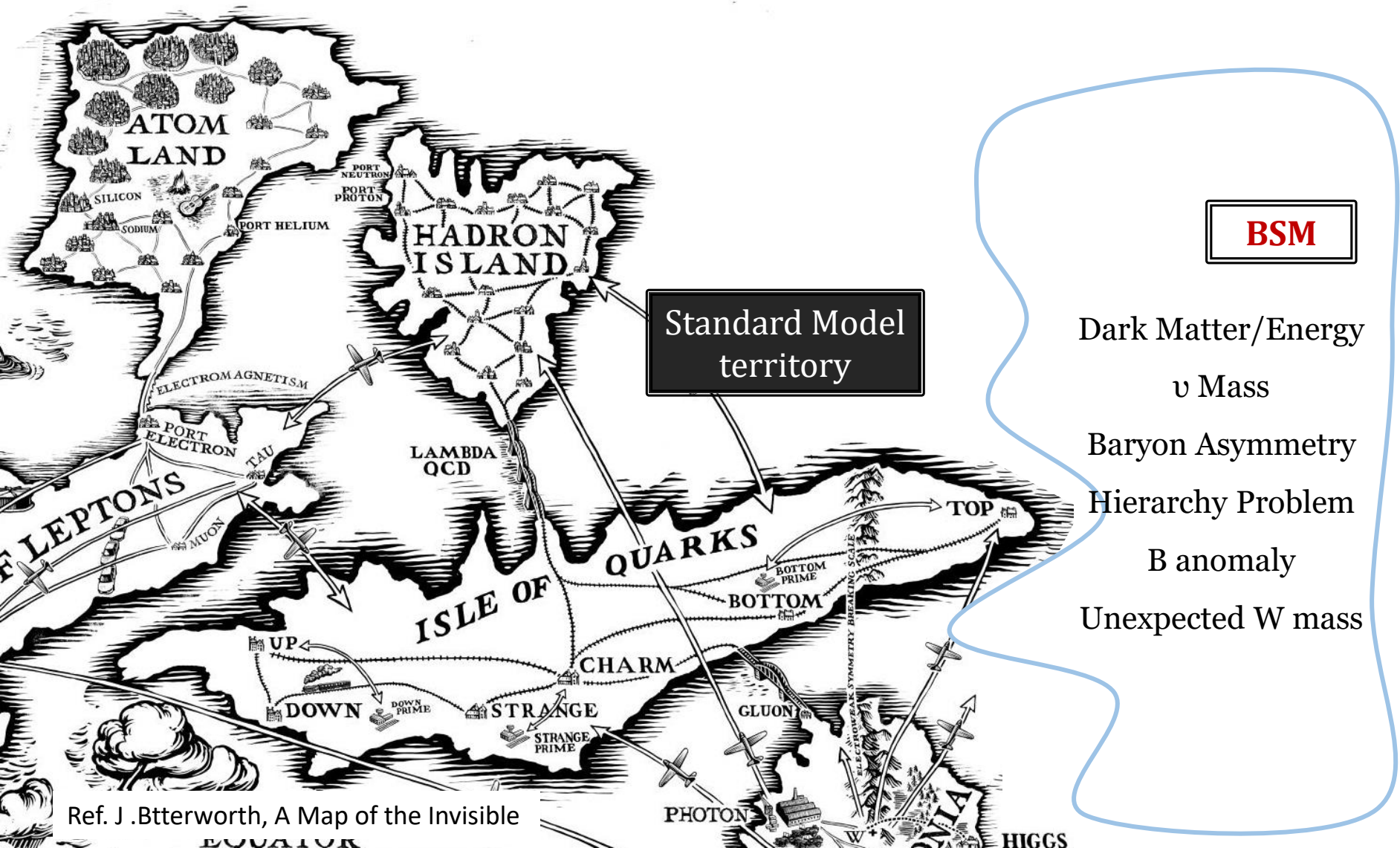
Department of Physics & Astronomy,
Seoul National University



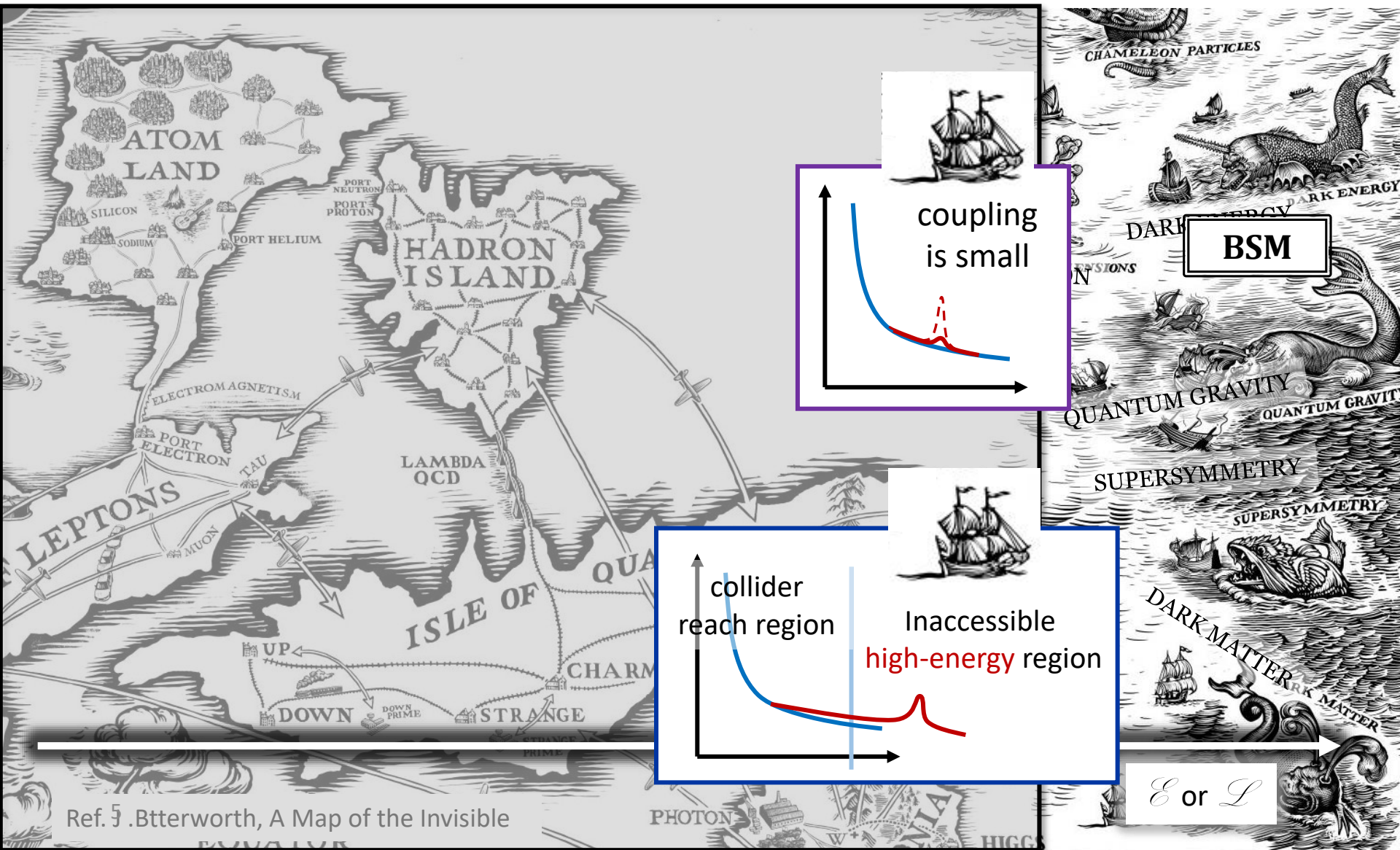
SM can (???) explain everything in the **Universe**



SM can **NOT** explain everything in the Universe



We are exploring high E & luminosity regime



“New Phase Space”

BSM

However,
what if...

Ref. J. Butterworth, A Map of the Invisible

$\mathcal{E}$ or $\mathcal{L}$

“New Phase Space”

BSM

We’ve already seen the **tide of BSM!**

Dark Matter/Energy

Baryon Asymmetry

B-anomaly

Muon g-2

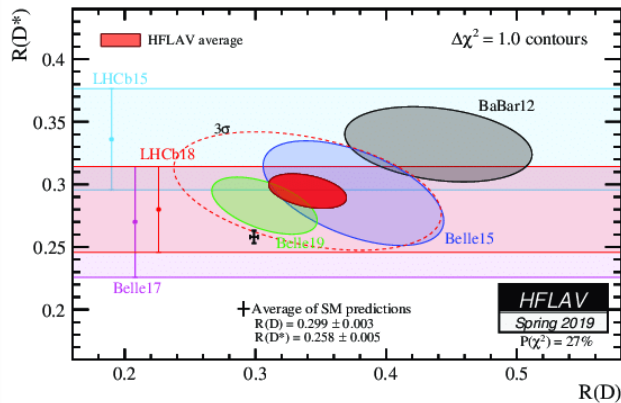
Unexpected W mass

...

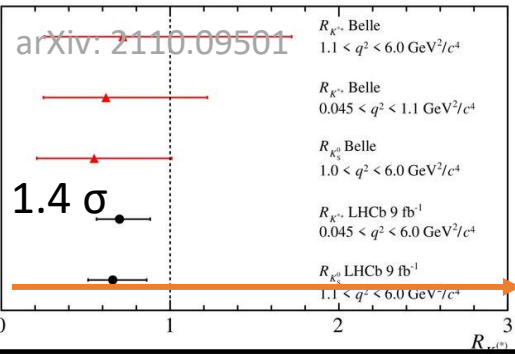
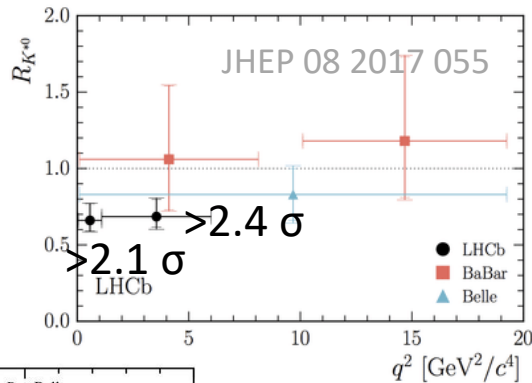
$\mathcal{E}$ or $\mathcal{L}$

Tide of BSM

“B-anomaly from LHCb experiment”

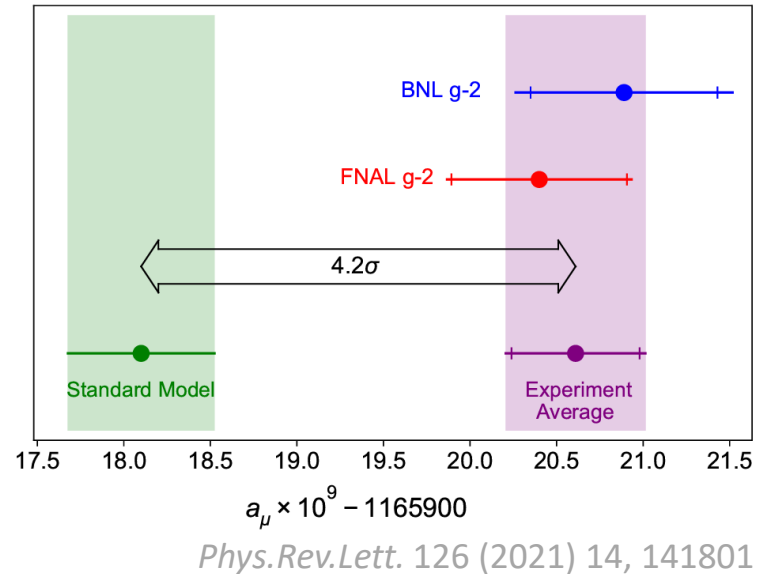


arXiv:1809.06229



3.1 σ deviation at $R(K)$ is disappeared

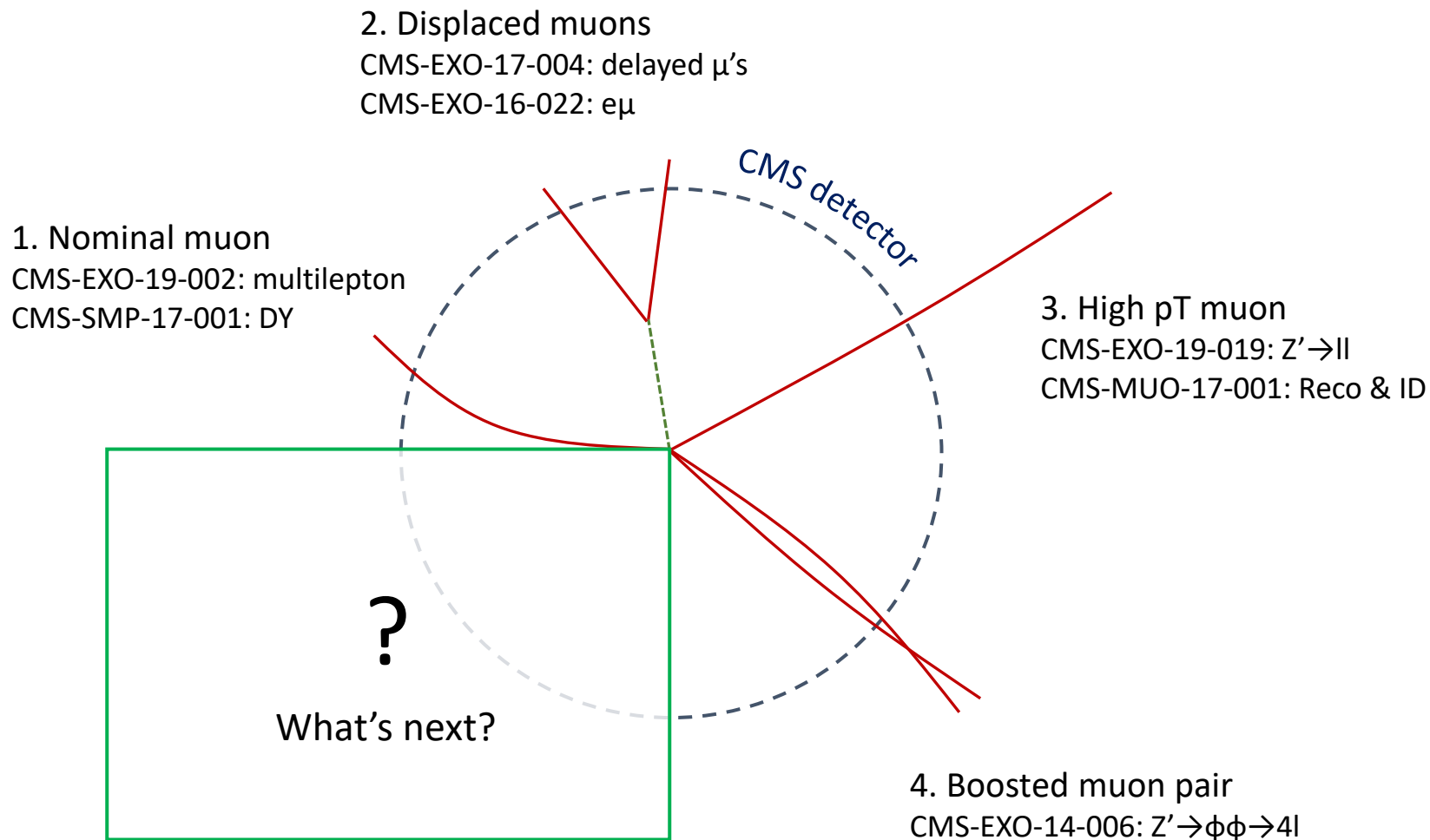
“Muon g-2 experiment”



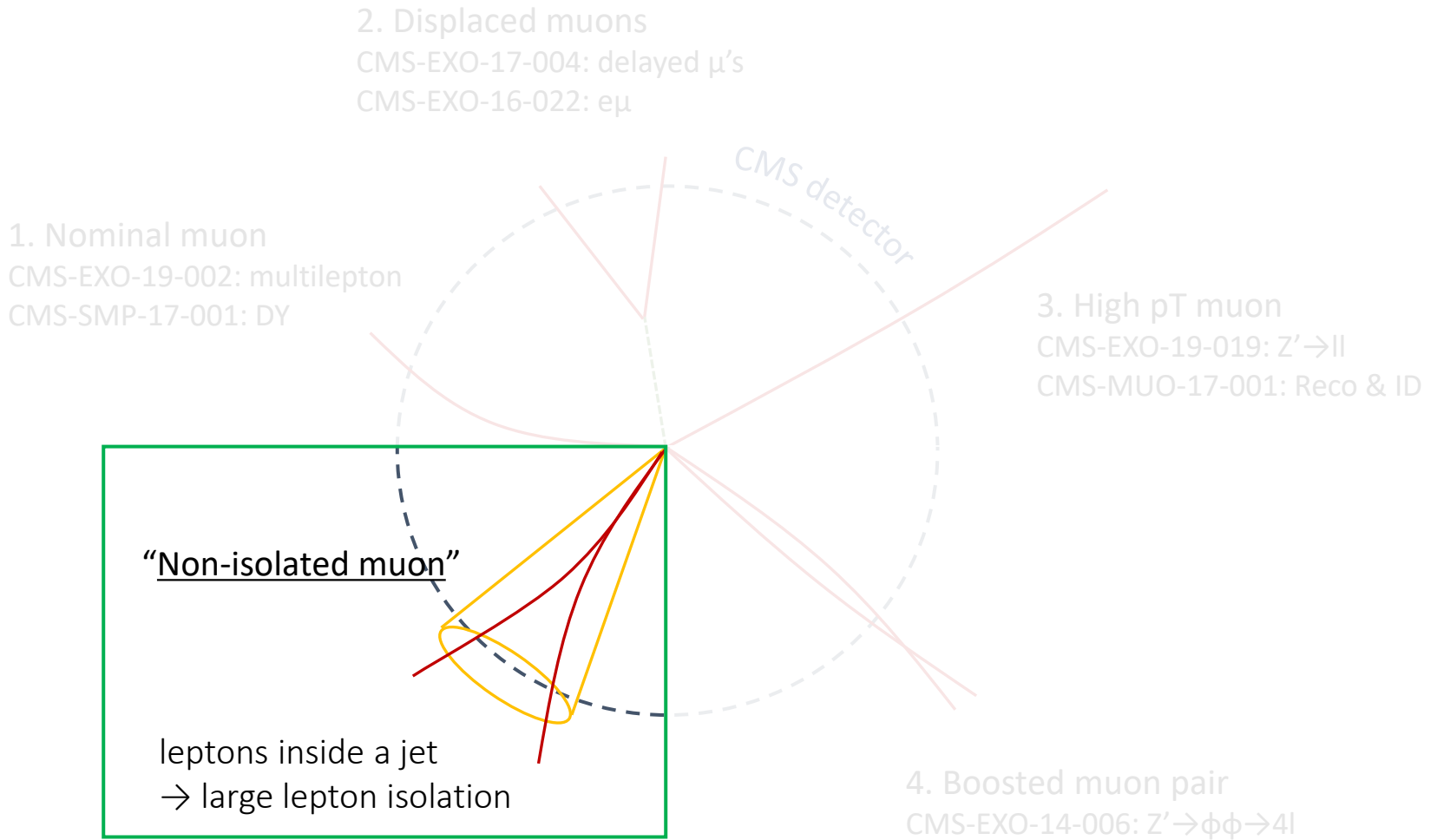
There is something new related with b-jets & muons!

⇒ “Non-isolated lepton”

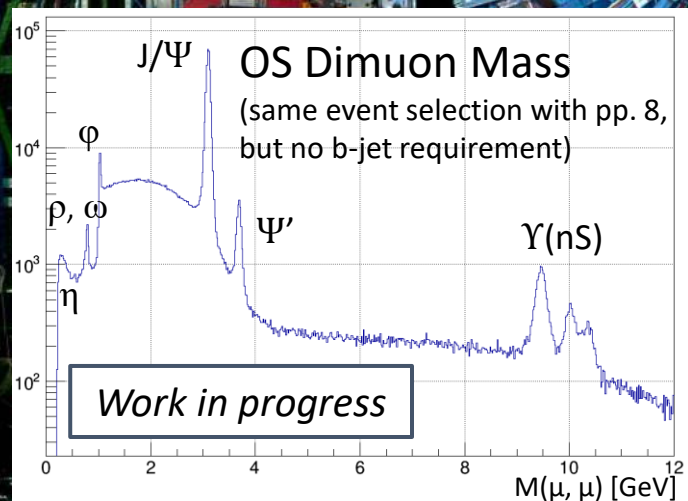
Muon Studies in the CMS Experiment



Muon Studies in the CMS Experiment



CMS detector



Initial difficulty: No generator!!

- How to generate non-isolated signal samples?

1) Implementing **BSM radiations in Herwig 7** (with Prof. Mike Seymour)

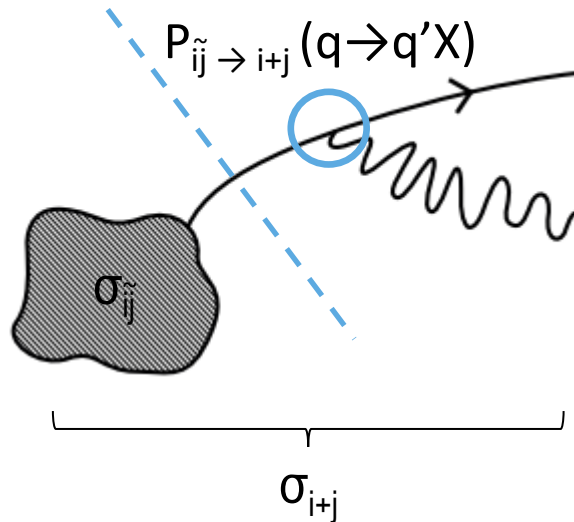
funded by **Marie Curie Actions**, as a part of **MCnet project**



2) **Goal** Calculating as many (general) splitting functions as possible

Parton Shower

- Crop parton shower processes from a hard process



- total cross section

$$d\sigma_{i+j} \simeq \frac{\alpha_{\text{int}}(\tilde{q}^2)}{2\pi} \frac{d\tilde{q}^2}{\tilde{q}^2} dz \boxed{P_{ij \rightarrow i+j}(z, \tilde{q})} d\sigma_{ij},$$

“splitting function”

$$P_{ij \rightarrow i+j}(z, \tilde{q}) = \sum_{\lambda} \left| H_{ij \rightarrow i+j}(z, \tilde{q}; \lambda) \right|^2,$$

- Iteratively add the splittings using a specific ordering scale($\tilde{q}^2$)

1) **Herwig: angular-ordering** (θ^2)

2) Pythia 8: pT ordering

3) Pythia 6: virtuality ordering

These orderings are equivalent
in soft and collinear region

Spin-0, 1 Splitting functions

- upto $m^2(p_T^2)$ order in quasi-collinear limit($m, p_T \rightarrow 0$)

Process	Splitting Function
$q \rightarrow q' V$ (same with SM SFs)	$P_{q \rightarrow q' V} = \frac{1}{1-z} \left[(g_L^2 \rho_- + g_R^2 \rho_+) \left(\frac{m_0^2(1+z^2)}{z(1-z)\tilde{q}^2} - \frac{(1+z)m_1^2}{z(1-z)\tilde{q}^2} - \frac{m_2^2}{z\tilde{q}^2} \right) + (g_L^2 \rho_+ + g_R^2 \rho_-) \frac{m_0^2}{\tilde{q}^2} - (\rho_+ + \rho_-) \frac{2m_0 m_1 g_L g_R}{z\tilde{q}^2} \right]$
$V \rightarrow V' V''$	$P_{V \rightarrow V' V''}^{\text{massive}}(z, \tilde{q}) = \frac{1}{(1-z)z} (\rho_{-1,-1} + \rho_{1,1}) [2m_{0,t}^2(1 - (1-z)z)^2 - 2m_{1,t}^2(1 - (1-z)z^2) - 2m_{2,t}^2(1 - (1-z)^2 z) + 4\rho_{0,0} m_{0,t}^2 z(1-z)^3]$
$q \rightarrow q' \phi$ (e.g. charged higgs, ...)	$P_{q \rightarrow q' \phi} = 1 - z + \frac{(m_0 + m_1)^2 - m_2^2}{z(1-z)\tilde{q}^2}$
$V \rightarrow V' \phi$	$P_{V \rightarrow V' \phi} = \frac{1}{2} \left[(\rho_+ + \rho_-) \frac{z(1-z)}{2m_1^2} + \rho_0 \frac{1-z}{2m_0^2} + \frac{1}{z(1-z)\tilde{q}^2} \left\{ \frac{\rho_+ + \rho_-}{2} (1+z) + \frac{z(1-z)m_0^2}{m_1^2} - \frac{zm_2^2}{m_1^2} + \frac{\rho_0}{z} \left(1-z - \frac{(1-z)m_1^2}{zm_0^2} - \frac{m_2^2}{m_0^2} \right) \right\} \right]$

Spin-0, 1 Splitting functions

- upto $m^2(p_T^2)$ order in quasi-collinear limit($m, p_T \rightarrow 0$)

- Upto $\sim O(m^0)$ order?

Ans) $VV\phi$ vertex factor already contain m^2 term

$V \rightarrow V' \phi$

$$P_{V \rightarrow V' \phi} = \frac{1}{2} \left[(\rho_+ + \rho_-) \frac{z(1-z)}{2m_1^2} + \rho_0 \frac{1-z}{2m_0^2} + \frac{1}{z(1-z)\tilde{q}^2} \left\{ \frac{\rho_+ + \rho_-}{2} (1+z) \right. \right. \\ \left. \left. + \frac{z(1-z)m_0^2}{m_1^2} - \frac{zm_2^2}{m_1^2} + \frac{\rho_0}{z} \left(1-z - \frac{(1-z)m_1^2}{zm_0^2} - \frac{m_2^2}{m_0^2} \right) \right\} \right]$$

NEW

Spin-2 Splitting functions

- Considering Kaluza-Klein excitations of gravitons

Eur.Phys.J.C56:435-447,2008

$$\mathcal{L}_{\text{FFT}} = 4\text{GT} T^{\mu\nu*} \left[-\eta_{\mu\nu} \left\{ \bar{f}(i\gamma^\rho \partial_\rho - m_F)f - \frac{1}{2} \partial^\rho (\bar{f} i\gamma_\rho f) \right\} + \left\{ \frac{1}{2} \bar{f} i\gamma_\mu \partial_\nu f - \frac{1}{4} \partial_\mu (\bar{f} i\gamma_\nu f) + (\mu \leftrightarrow \nu) \right\} \right], \quad (28)$$

Fermion-Fermion-Graviton Lagrangian:

NEW

$$P_{q \rightarrow qG} = \rho_+ \left[\left[\frac{4p_T^2}{\sqrt{z}(1-z)^2} \right]^2 + \left[\frac{4p_T(m_1 - zm_0)}{(1-z)\sqrt{z}} \right]^2 + \left[2p_T \frac{(1-z)^2(m_1 + zm_0)m_1 - 2z^2m_2^2 + (1-z)p_T^2}{(1-z)^2z^{3/2}m_2} \right]^2 + \left[2 \frac{m_1(m_1^2(1-z)^2 - z^2m_2^2 + (1+z)p_T^2) - zm_0((1-z)^2m_1^2 - z^2m_2^2 + 2p_T^2)}{(1-z)z^{3/2}m_2} \right]^2 + \dots \right] + \rho_-(\dots)$$


1. Why do we calculate it **upto $\sim \mathcal{O}(m^4)$** order?

- **ffG coupling contain $1/M_{\text{pl}}$ term**

2. Why is it so complicated?

- We should consider all combinations between m_0 , m_1 , m_2 , and p_T

Results

- $q \rightarrow qH$ splitting is validated using “ $t\bar{t} + H_{BSM}$ sample” with the type-II 2HDM

- **FO**: $[p p \rightarrow t \bar{t} H]$

MG

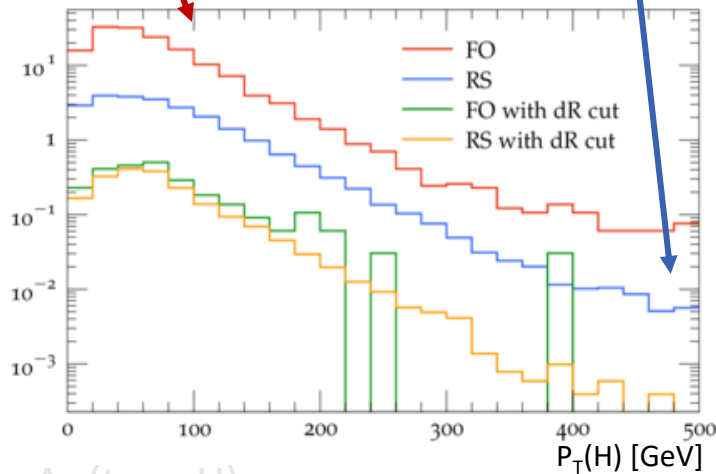
- **RS**: $[p p \rightarrow t \bar{t} H] + [t \rightarrow t H]$

MG

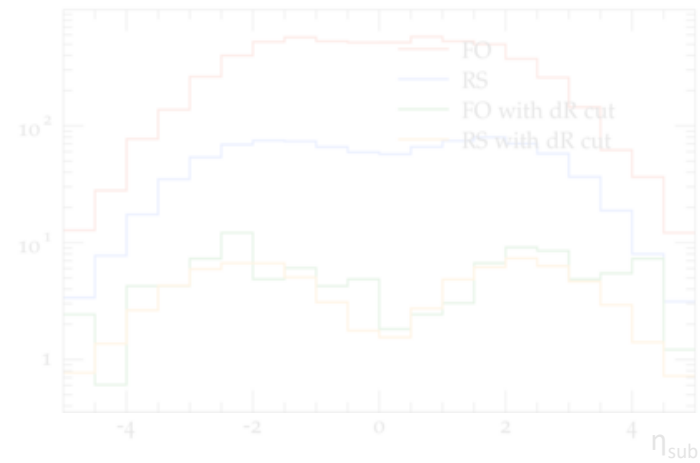
Herwig7

$m(H_{BSM}) = 50 \text{ GeV}$

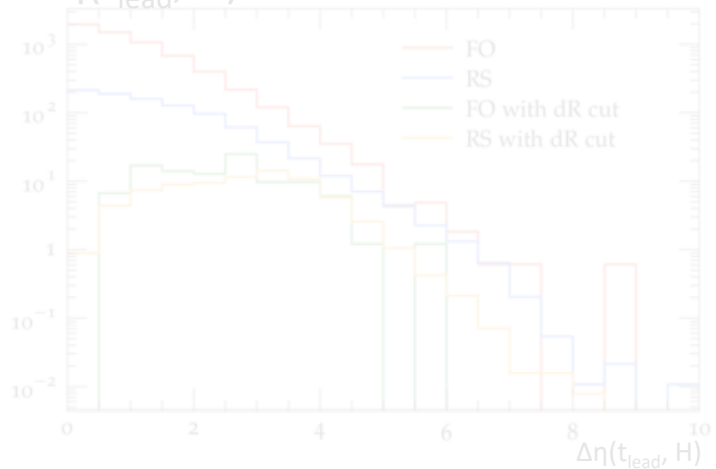
$P_T(H)$



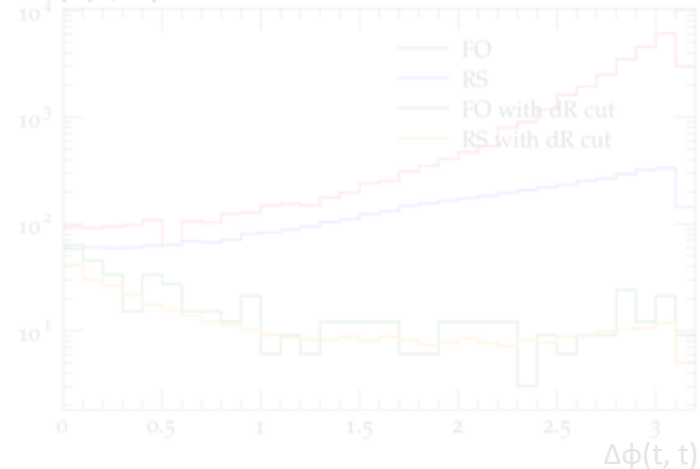
η_{sub}



$\Delta\eta(t_{lead}, H)$

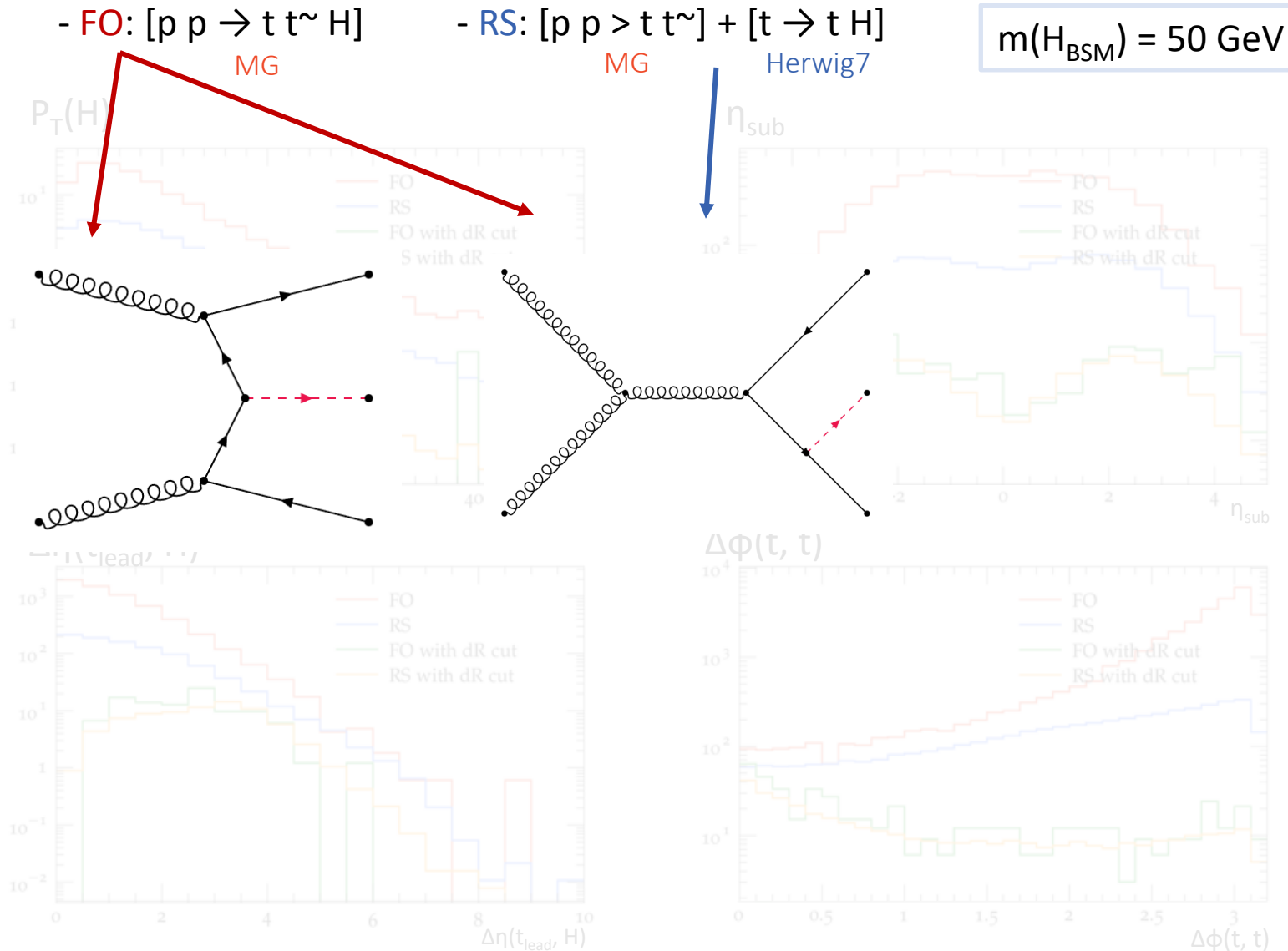


$\Delta\phi(t, t)$



Results

- $q \rightarrow qH$ splitting is validated using “ $t\bar{t} + H_{BSM}$ sample” with the type-II 2HDM



Results

- $q \rightarrow qH$ splitting is validated using “ $t\bar{t} + H_{BSM}$ sample” with the type-II 2HDM

- FO: $[p p \rightarrow t \bar{t} H]$

MG

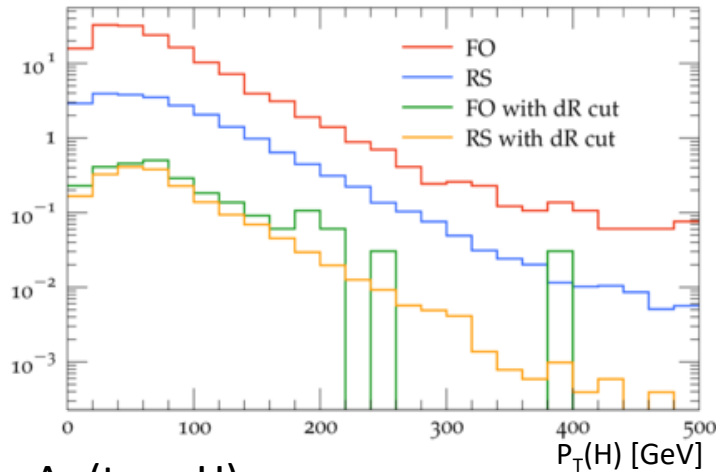
- RS: $[p p \rightarrow t \bar{t} H] + [t \rightarrow t H]$

MG

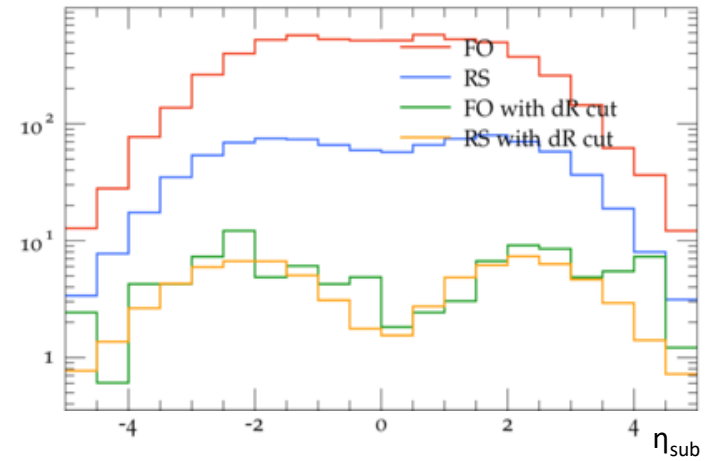
Herwig7

$$m(H_{BSM}) = 50 \text{ GeV}$$

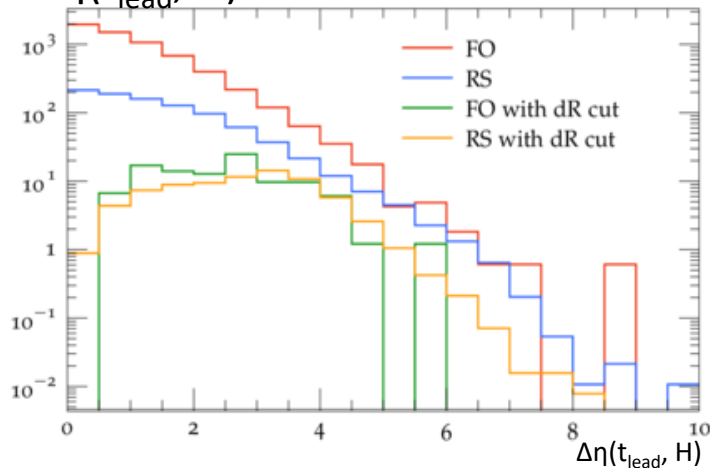
$P_T(H)$



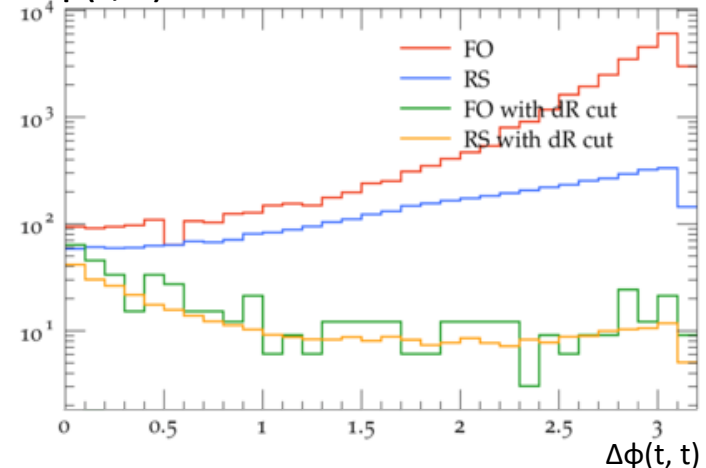
η_{sub}



$\Delta\eta(t_{lead}, H)$

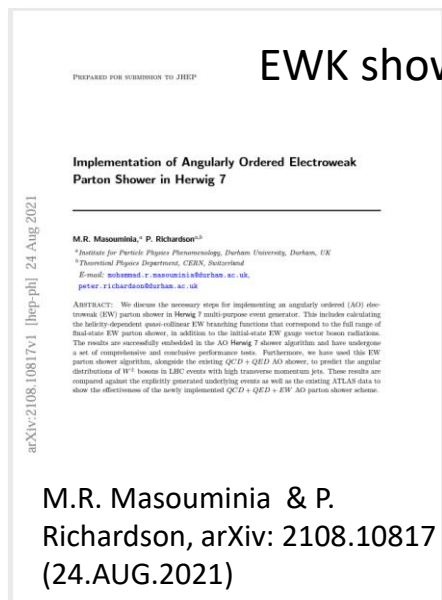


$\Delta\phi(t, t)$

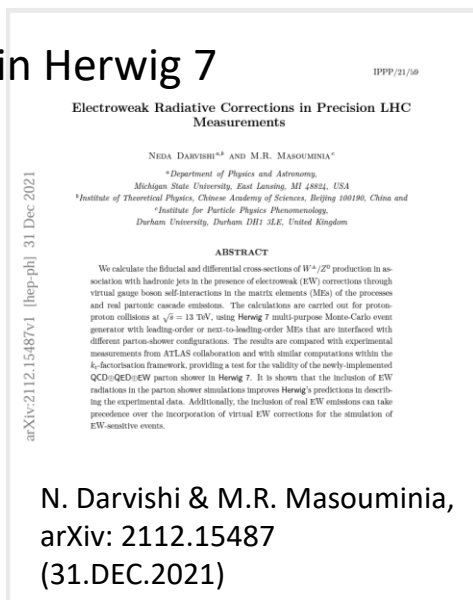


Results

- Splitting function implementation status in Herwig 7



EWK shower in Herwig 7



BSM shower

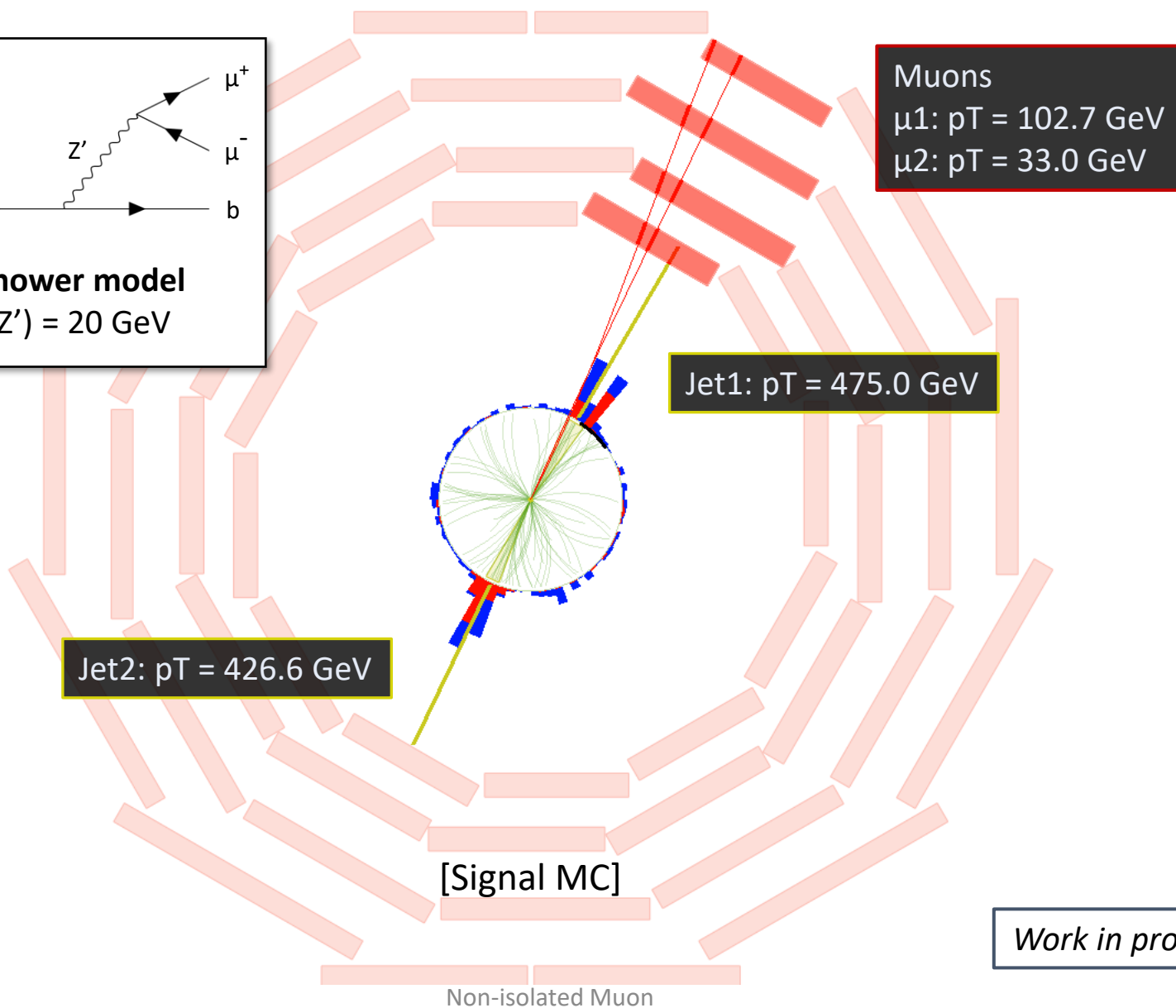
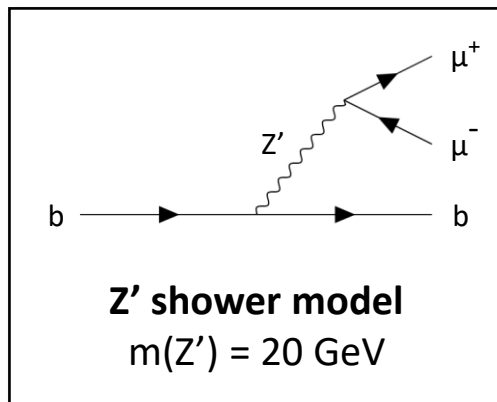
will be published soon!

J.-B. Lee & M. Seymour (2023)

This will be used in...

- Most of **low scale BSM searches** in future collider experiments
- **Dark sector shower**, e.g. Hidden Valley model
- BSM search using non-isolated leptons

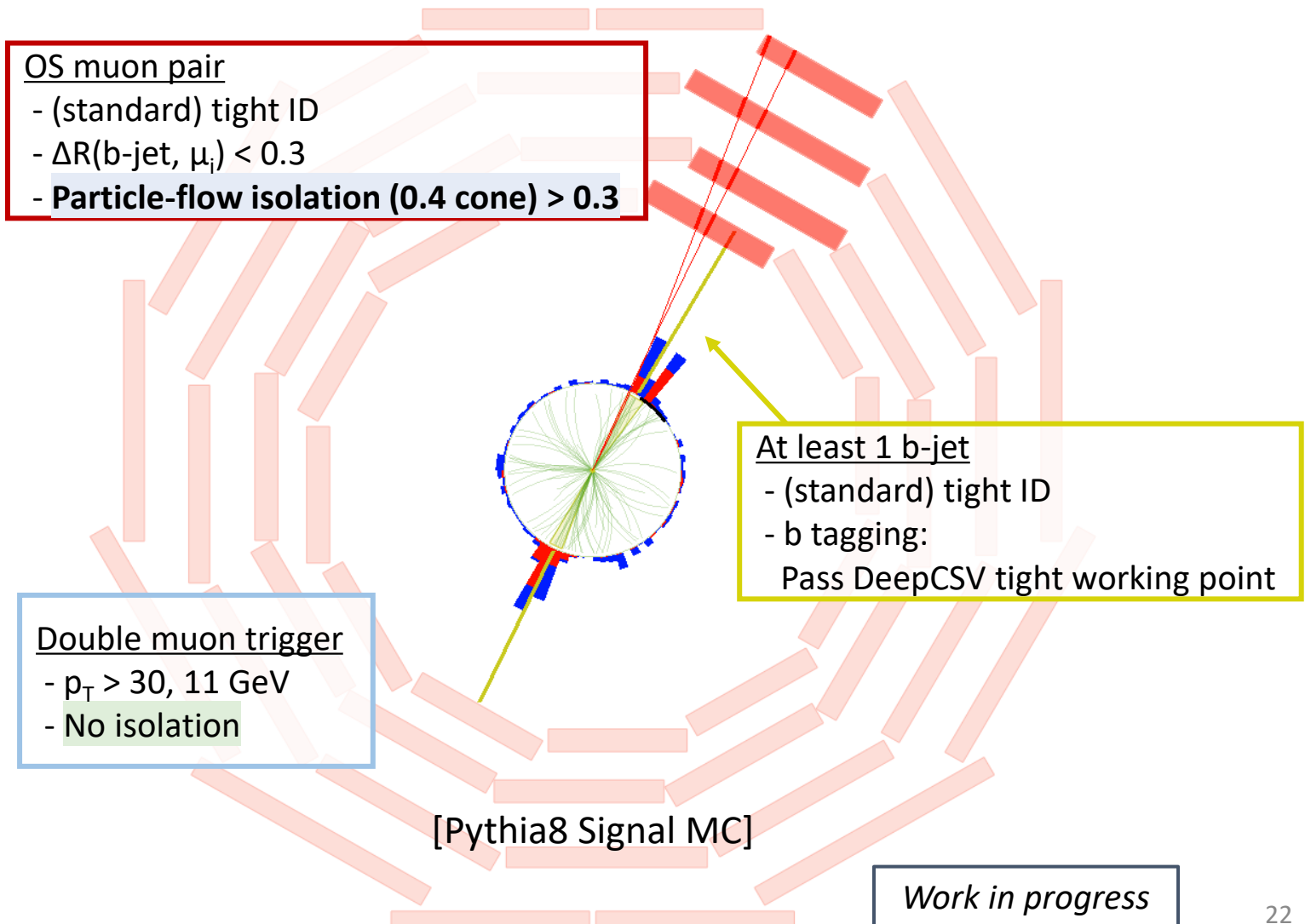
Signal kinematics



Work in progress

BSM search using **non-isolated dimuon** in CMS

- full 2016 CMS datasets ($L = 36 \text{ /fb}$, 13 TeV) $\rightarrow$ will use Full Run2 datasets

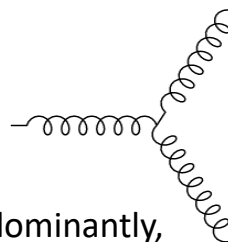


Background Contributions

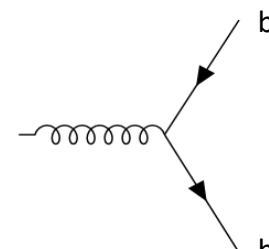
- Data vs MC

- Non-isolated lepton study has large QCD lepton contributions
- The sources of the QCD background are dominantly, from non-prompt

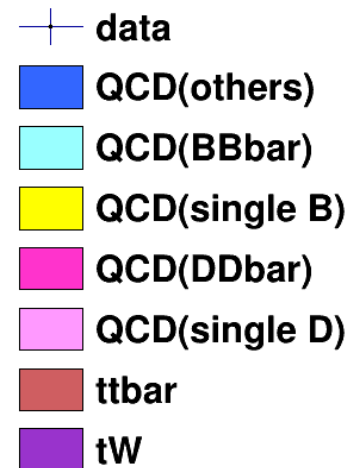
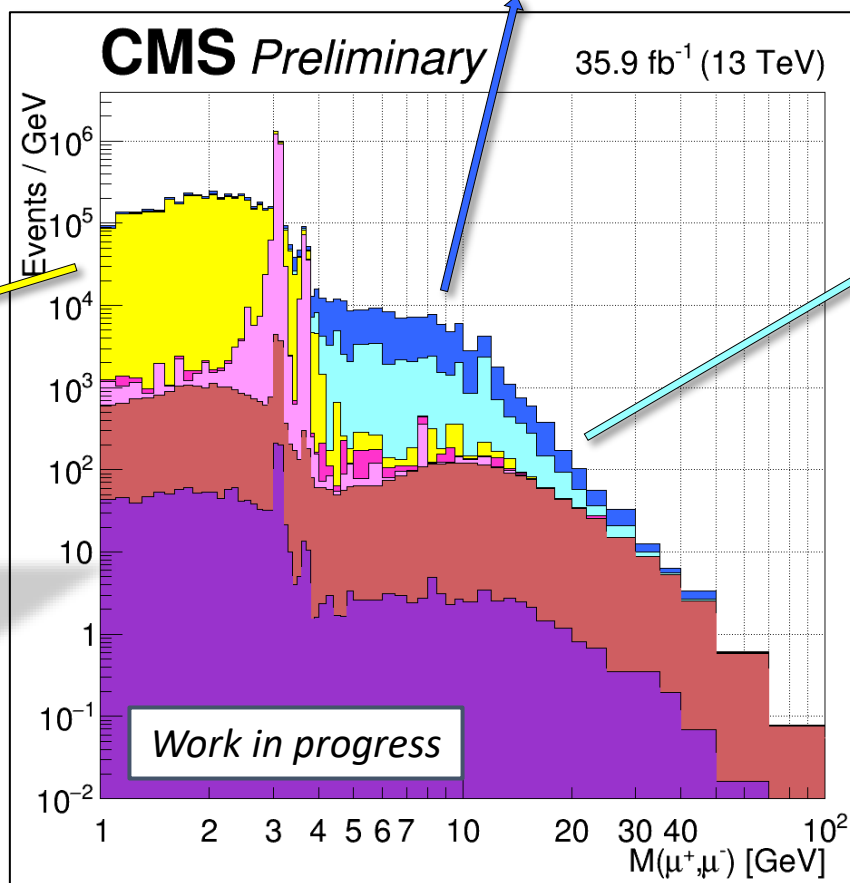
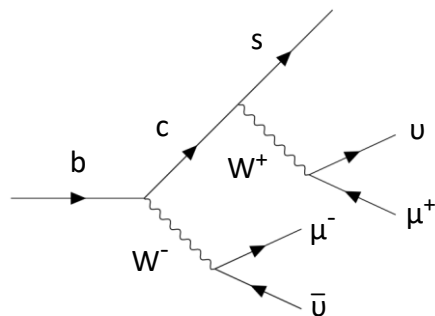
others



BBbar



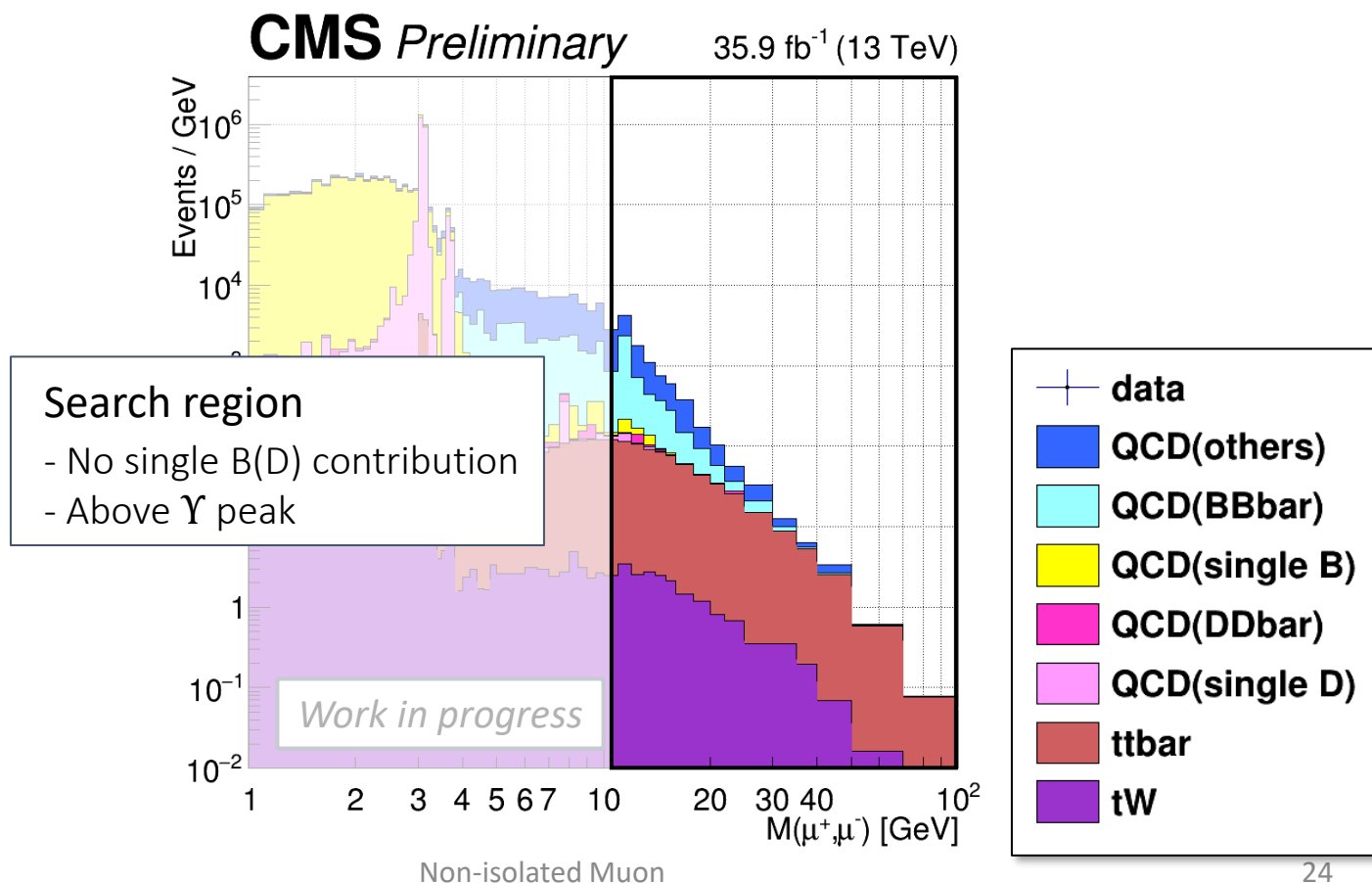
single B meson



Non-isolated Muon

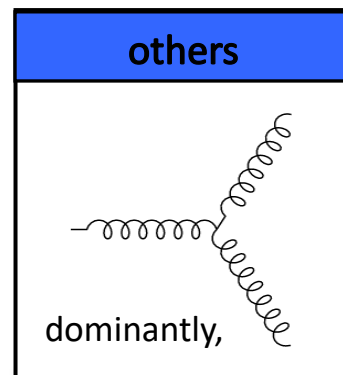
Background Contributions

- Data vs MC
 - Non-isolated lepton study has large QCD backgrounds from non-prompt lepton contributions
 - The sources of the QCD background are studied precisely

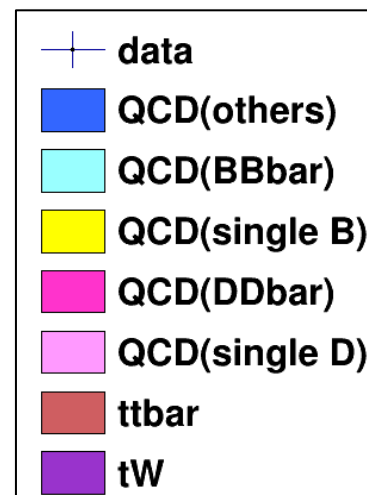
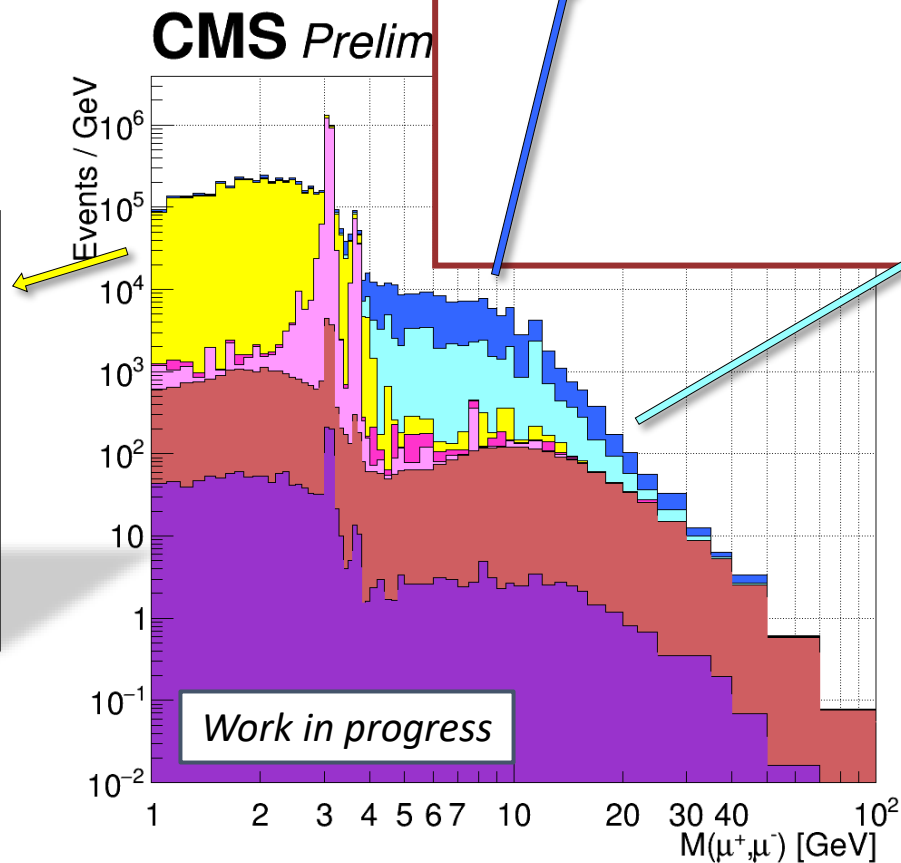
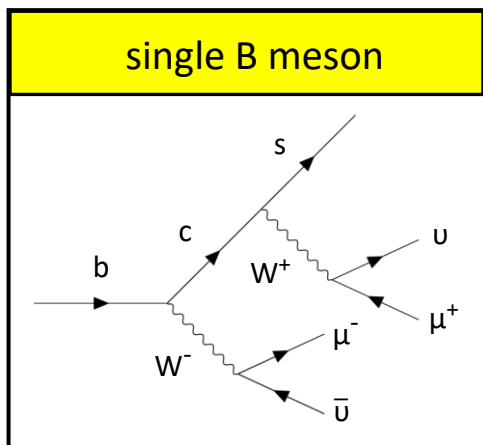
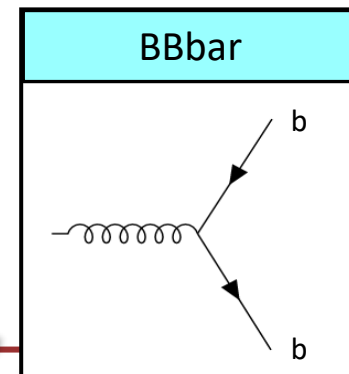


Background Contribution

- Data vs MC
 - Non-isolated lepton study has large QCD lepton contributions
 - The sources of the QCD background are

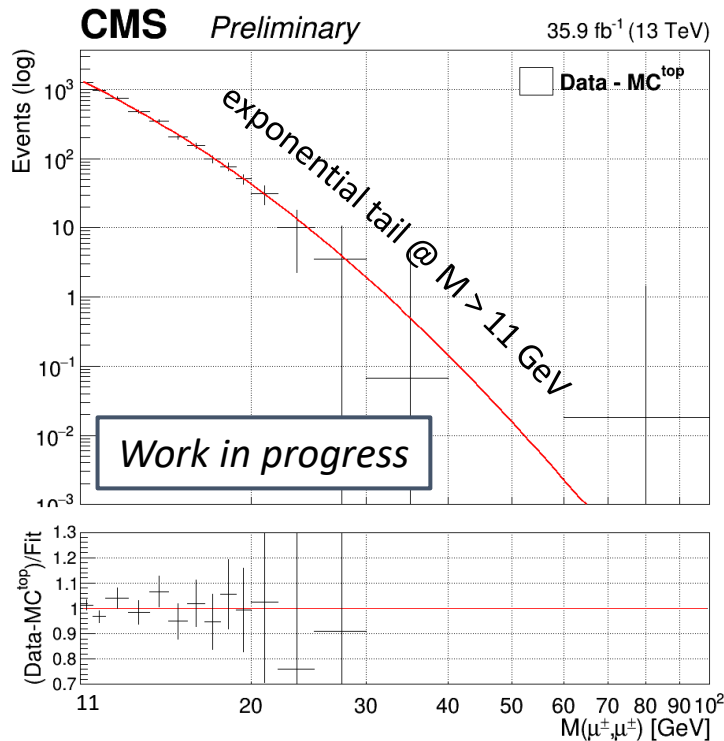


Same distribution shape!
→ Crystal ball function



QCD Background Estimation

- Data-driven method
 - QCD shape is extracted from the SS dimuon mass distribution inside a b-jet
 - $t\bar{t}b$ & single top MC events are subtracted



- Crystal ball function

$$f(x) = N \cdot \begin{cases} \exp\left(-\frac{(x - \mu)^2}{2 \cdot \sigma^2}\right) & , \text{for } \frac{x - \mu}{\sigma} < \alpha \\ A \cdot \left(B + \frac{x - \mu}{\sigma}\right)^{-n} & , \text{for } \frac{x - \mu}{\sigma} \geq \alpha \end{cases}$$

- Crystal ball function describes the QCD background shape very well at $M > 5$ GeV
- Plan: extend the search region up to 5 GeV (→ backup)

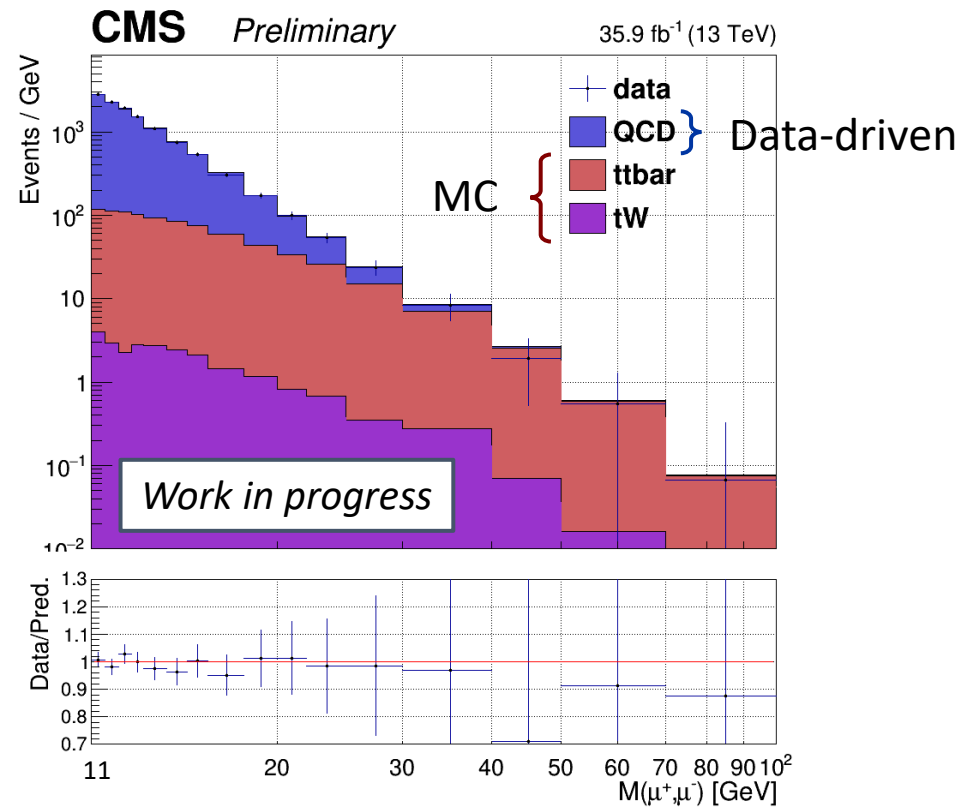
$$\begin{aligned} N &= 8074.5 \\ \mu &= 4.2 \\ \sigma &= 3.5 \\ n &= 25.2 \\ \alpha &= 1.5 \end{aligned}$$

Results 1: Mass distribution

- OS dimuon inside a b-jet
 - Check an anomalous contribution like LHCb
 - The same-sign fit result is normalized by $\#(\text{OS events})/\#(\text{SS events})$
 - Data and prediction agree well in $1\sigma(\text{stat.})$

- applied corrections -

category	sources
jet	Jet energy resolution
	Jet energy correction
	b-tagging scale factor
	Pile-up reweight
muon	momentum scale (Rochester correction)
	ID scale factor
trigger	trigger scale factor
top	Top pT reweight

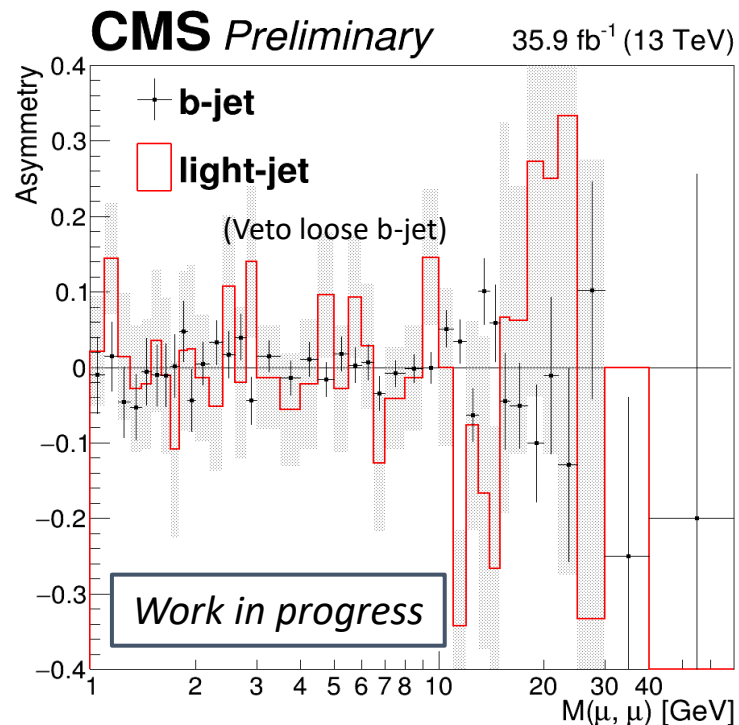
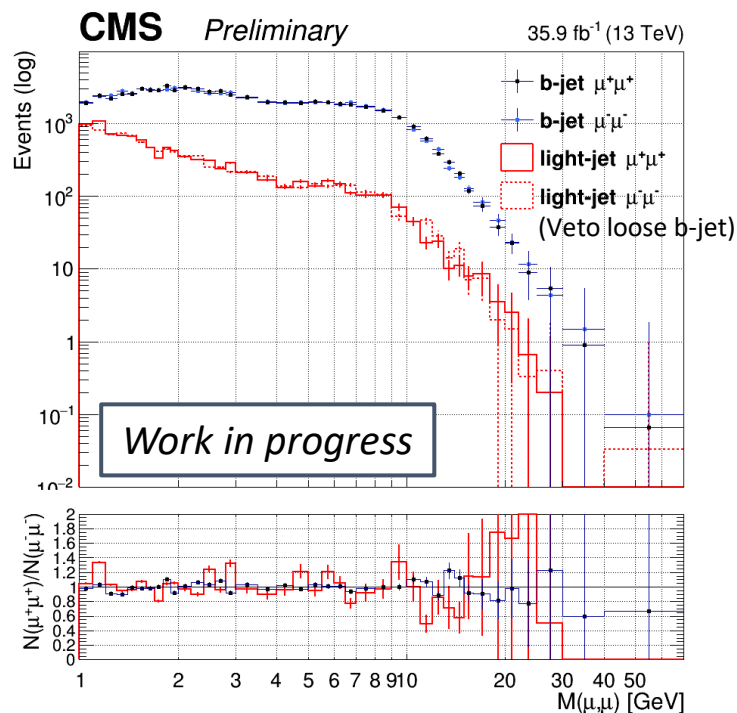


Results 2: Asymmetry

- Dimuon charge asymmetry

$$A = \frac{N(\mu^+\mu^+) - N(\mu^-\mu^-)}{N(\mu^+\mu^+) + N(\mu^-\mu^-)}$$

- anomalous production of same-sign dimuon events inside a b-jet
- Asymmetry is not observed** considering the uncertainty (within $\pm 2\sigma$)

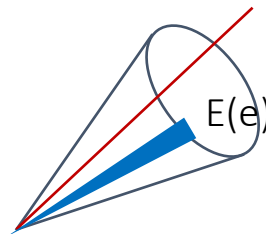


Opposite-sign Dimuon mass distributions

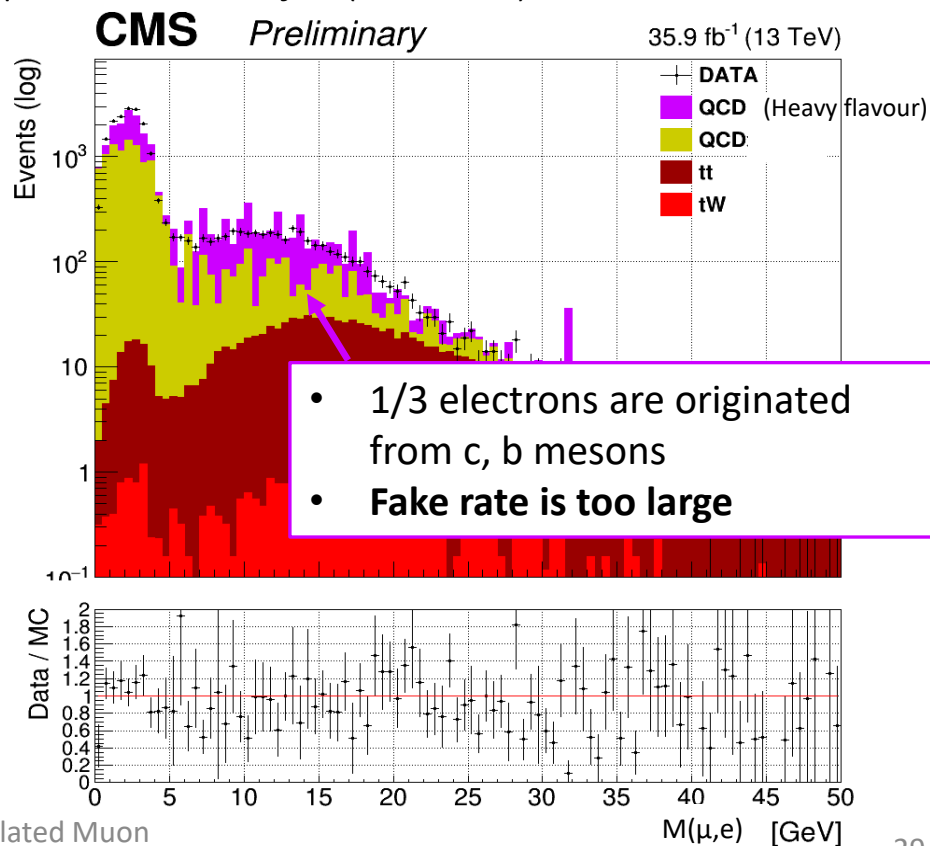
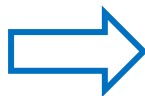
- electron id: medium, vetoing isolation ($\text{iso} > 0.198 + 0.506/p_T$ (EB), $\text{iso} > 0.203 + 0.963/p_T$ (EE))
- event selection
 - HLT: $P_T(\mu) > 37$, $P_T(e) > 27$ GeV
 - To reduce $\gamma \rightarrow ee$, **exactly 1e1 μ** is required inside a jet ($\Delta R < 0.3$)

OS $e\mu$ inside a jet

$$P_T(\mu) > 40 \text{ GeV}$$



$$E(e) > 30 \text{ GeV}$$



[Thank you for listening]

'마스크 해제' 관련 인기 주제 둘러보기

모두 보기



마스크 해제 실내



마스크 해제 버스



코로나 실내 마스크 해제



마스크 실내 해제 버스



마스크 전면 해제



실내 마스크 용

마스크 해제 실내

 야생적토마의 건강상식 · 2023.03.16.

대중교통 마스크 해제 : 실내 마스크 착용 의무 추가 조정 방안



실내 마스크 해제 관련하여 진행상황을 포스팅 해 왔 었는데 지난 1월 30일 실내 착용 1단계 의무 조정 이 후에 추가 조정안 나와서 관련 내용 업로드해 드리겠 습니다. 실내 착용 해제 움직임 포스팅 착용 의무 조정 자문위...

 하우스마켓 · 2023.01.25.

실내마스크 해제 실내 전면 해제는 어디까지?

현재 코로나 누적 확진자 수는 대한민국 인구의 60%가량인 약 3,000만 명으로 집계 되고 있으며 이미 미국 유럽 등지에서는 대부분이 마스크 착용 의무 해제가 되었으며 한국 또한 국민의 70%가량의 항체 양성률을 기록하여 이제 실내마스크 해제를 ...

실내마스크 전면해제 어디까지 마스크 안써도 되는가?

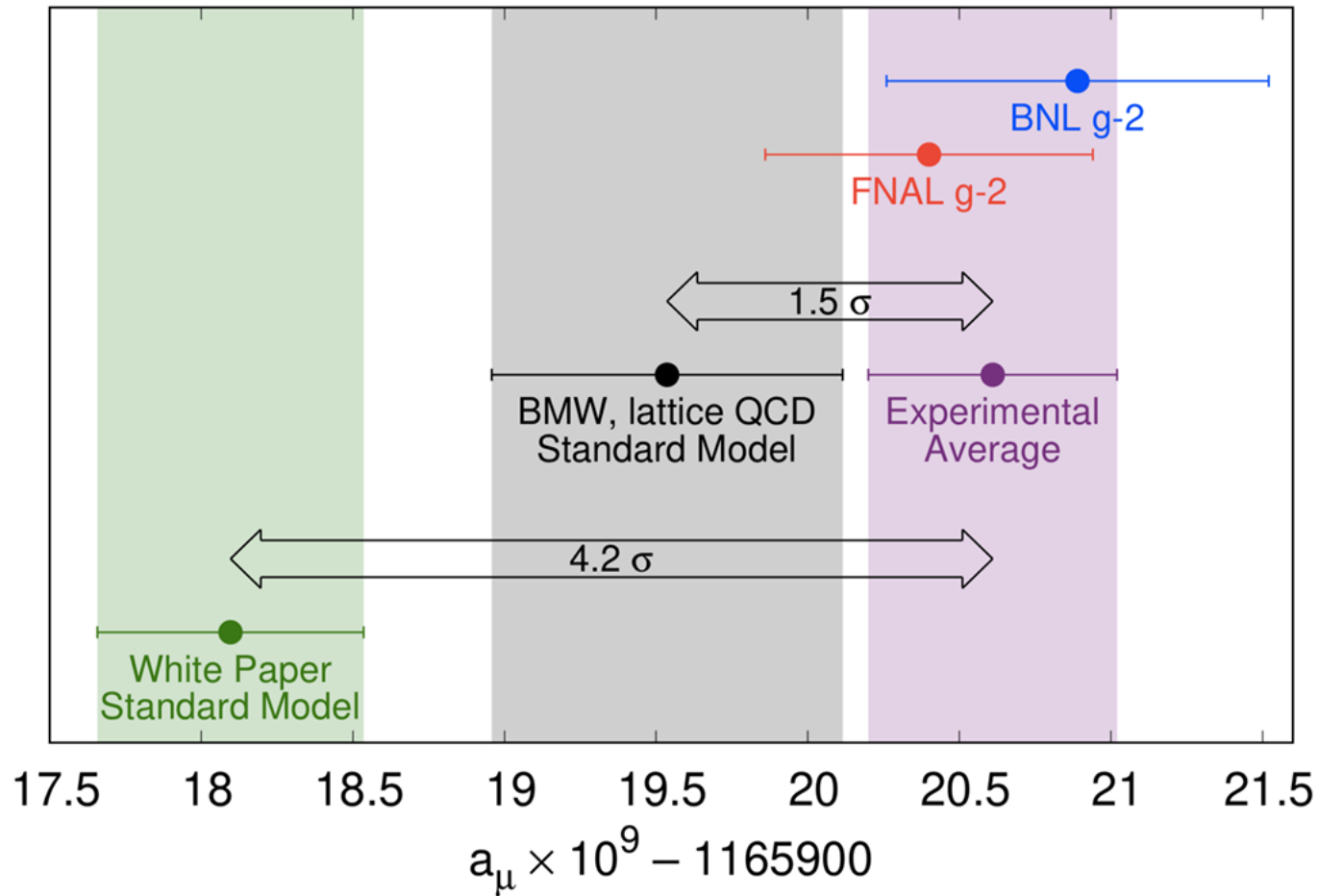
5

Copy Non-Iso :D

BACKUP

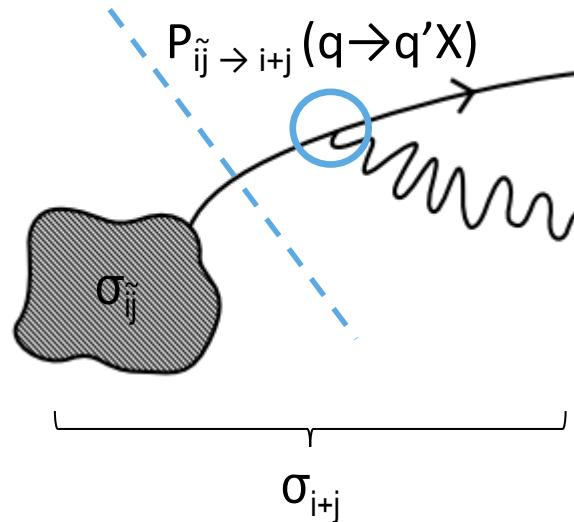
Muon g-2 Theory Initiative, Phys.Rept. 887 (2020) 1-166

Budapest–Marseille–Wuppertal-coll., Nature593(2021)7857



Parton Shower

- Crop parton shower processes from a hard process



- total cross section

$$d\sigma_{i+j} \simeq \frac{\alpha_{\text{int}}(\tilde{q}^2)}{2\pi} \frac{d\tilde{q}^2}{\tilde{q}^2} dz \boxed{P_{ij \rightarrow i+j}(z, \tilde{q})} d\sigma_{ij},$$

“splitting function”

$$P_{ij \rightarrow i+j}(z, \tilde{q}) = \sum_{\lambda} \left| H_{ij \rightarrow i+j}(z, \tilde{q}; \lambda) \right|^2,$$

- Iteratively add the splittings using a specific ordering scale($\tilde{q}^2$)

- 1) Herwig: angular-ordering
- 2) Pythia 8: pT ordering
- 3) Pythia 6: virtuality ordering

$$\begin{aligned} \tilde{q}^2 &= \frac{q_i^2 - m_i^2}{z(1-z)}; \\ &= \frac{p_T^2 + (1-z)m_j^2 + zm_k^2 - z(1-z)m_i^2}{z^2(1-z)^2}; \\ &= \frac{2q_j \cdot q_k + m_j^2 + m_k^2 - m_i^2}{z(1-z)}; \end{aligned}$$

QCD Background Estimation

❖ Data-driven method

- Same-sign dimuon events are dominated by “others” events, but its distribution shape is same with “BBbar” events
- → *SS & OS dimuon mass distributions have same shape*

