

Dilepton forward-backward asymmetry and electroweak mixing angle

SNU Nuclear and Particle Physics Workshop
2023 Mar 30

Seoul National University

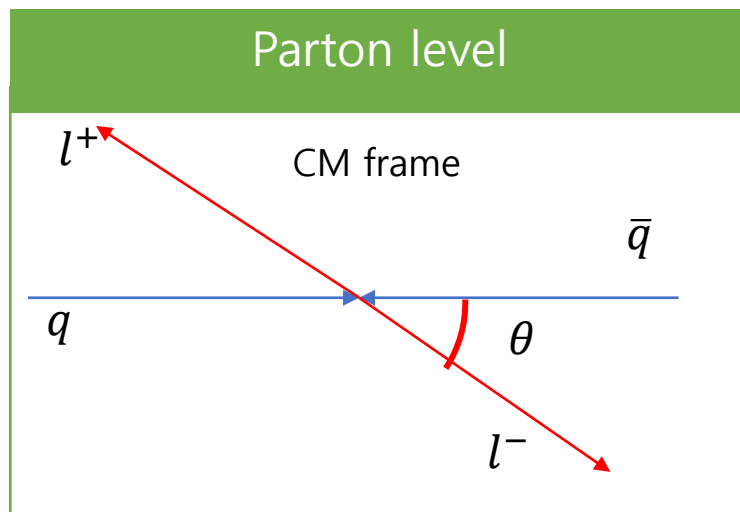
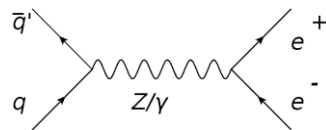
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Rhys Taus, Evan Ranken

Forward-backward Asymmetry (AFB)

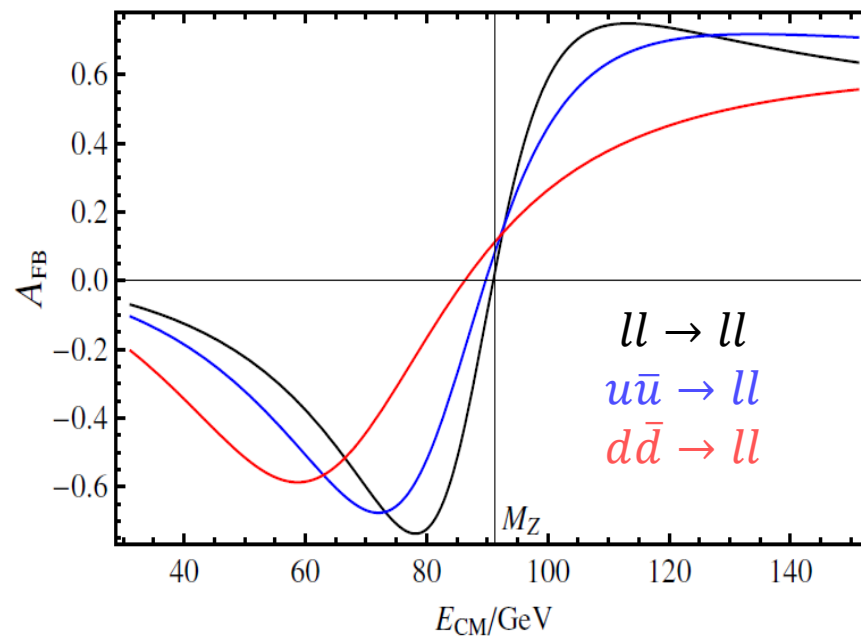
➤ Definition of A_{FB}



θ : Angle btw incoming and outgoing particles
 $\cos \theta > 0$, forward event (F)
 $\cos \theta < 0$, backward event (B)

$$A_{FB} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B}$$

➤ A_{FB} as a function of mass

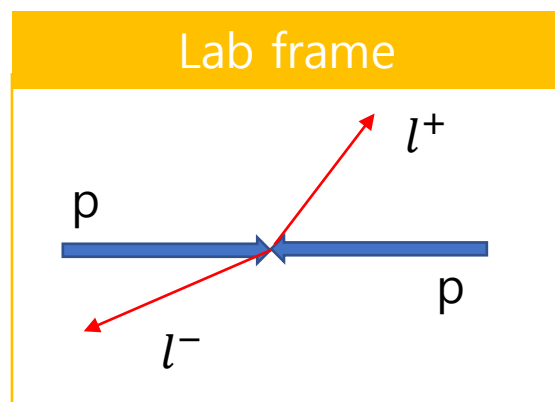


Mass dependence due to electroweak mixing

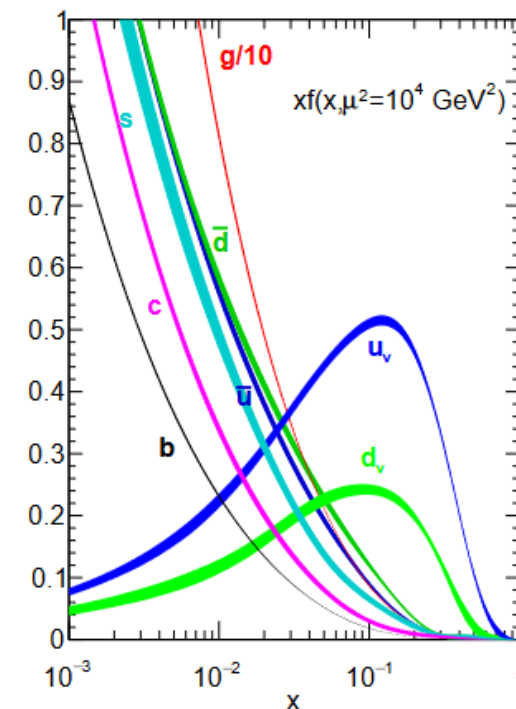
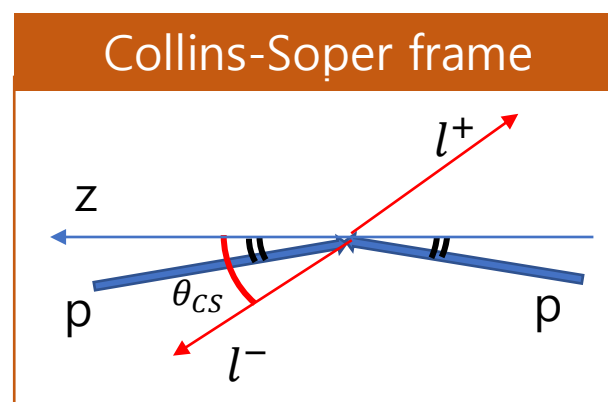
Forward-backward Asymmetry (AFB)

A_{FB} measurement in proton-proton collider

- How can we find incoming quark direction (not anti-quark) ?
 - Assume **quark** has **larger momentum** than anti-quark
 - Use **direction of Z boson**
- If there is ISR? → Use **Collins-Soper frame**



CM frame



Analyses

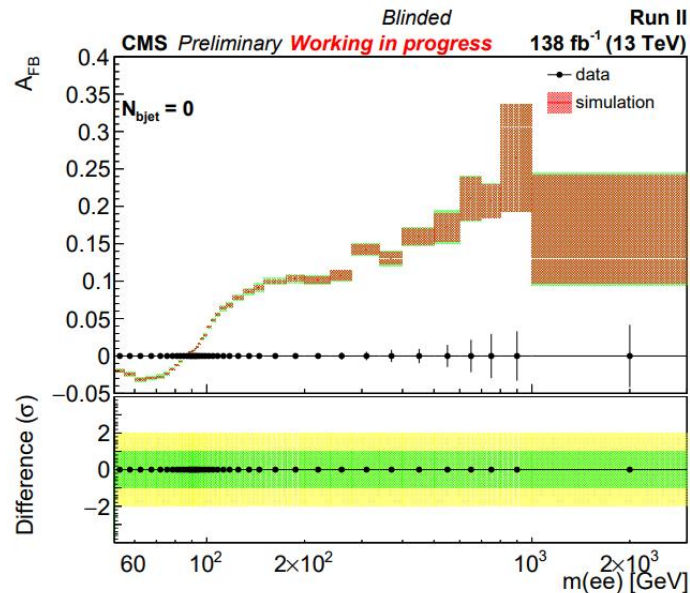
- Differential A_{FB} with and without bjet
- $\sin^2 \theta_{eff}^l$ measurement with inclusive DY events
- $\sin^2 \theta_{eff}^l$ measurement with DY+bjet events

Differential A_{FB} with and without bjet

Measure A_{FB} itself for various kinematic regions
To find hint of new physics

Without bjet

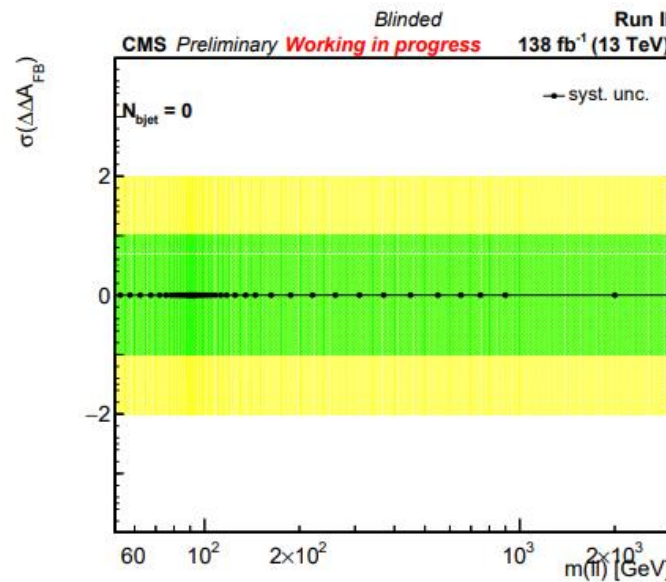
$52 < m < 3000$: $A_{FB}(m)$
 $52 < m < 77$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $77 < m < 106$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $106 < m < 280$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $280 < m < 3000$: $A_{FB}(y)$, $A_{FB}(p_T)$



A_{FB} at detector level

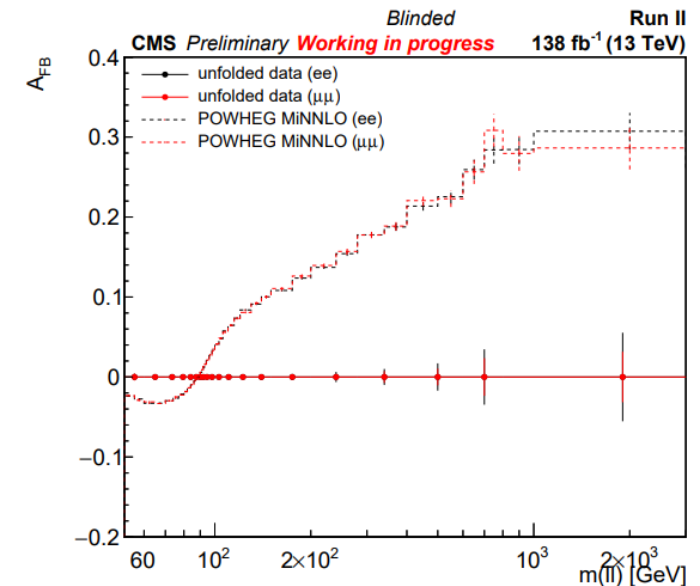
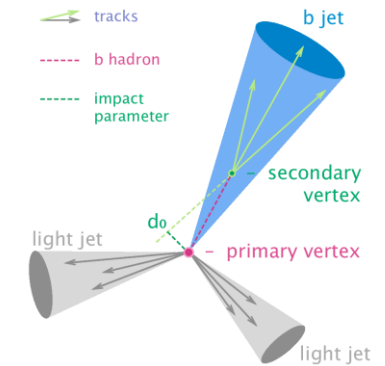
With bjet

$52 < m < 3000$: $A_{FB}(m)$
 $52 < m < 77$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $77 < m < 106$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $106 < m < 280$: $A_{FB}(y)$, $A_{FB}(p_T)$
 $280 < m < 3000$: $A_{FB}(y)$, $A_{FB}(p_T)$



Lepton universality check

$$\Delta\Delta A_{FB} = [A_{FB}^{\text{data}(\mu\mu)} - A_{FB}^{\text{pred}(\mu\mu)}] - [A_{FB}^{\text{data}(ee)} - A_{FB}^{\text{pred}(ee)}]$$

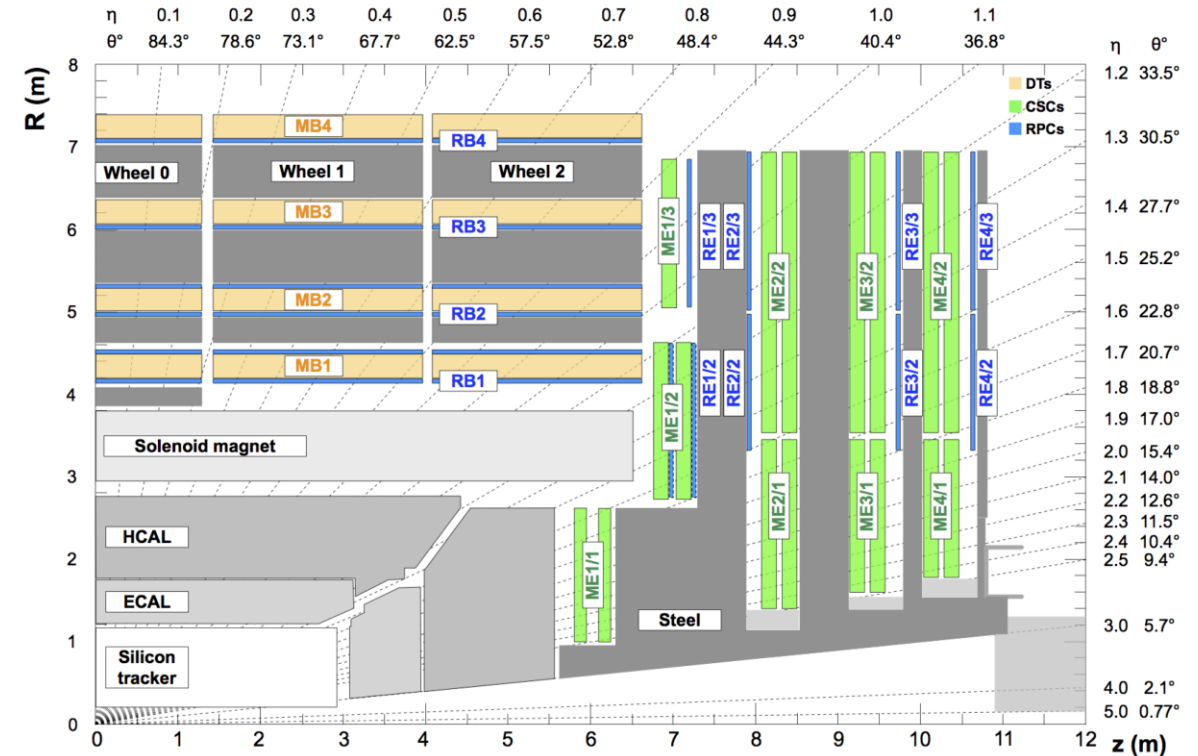


Unfolded A_{FB}

Differential AFB Event Selection

➤ CMS full Run II data (138 fb^{-1})

	$\mu\mu$	ee
trigger	Double muon trigger ($\epsilon \sim 0.87$) with $p_T > 17(8) \text{ GeV}$	Double e/γ trigger ($\epsilon \sim 0.82$) with $p_T > 23(12) \text{ GeV}$
Lepton selection	Medium ID ($\epsilon \sim 0.96$) $p_T > 20(10) \text{ GeV}$, $ \eta < 2.4$	Medium ID ($\epsilon \sim 0.79$) $p_T > 25(15) \text{ GeV}$, $ \eta < 2.5$
Event selection	Opposite sign dilepton	
simulation	Drell-Yan (<i>POWHEG</i>) diboson (<i>PYTHIA8</i>) $\gamma\gamma \rightarrow ll$ (<i>PYTHIA8</i>)	$t\bar{t}/tW$ (<i>POWHEG</i>) W (<i>MadGraph</i>)
Corrections	✓ Lepton energy/momentum correction ✓ Charge-dependent ID/trigger efficiency SF ✓ Pileup reweight ✓ Trigger prefiring correction: for a trigger issue in CMS Run 2 ✓ Electron charge-flip (CF) SF ✓ Vertex Z reweight ✓ Z p_T reweight ✓ NLO weak k-factor	

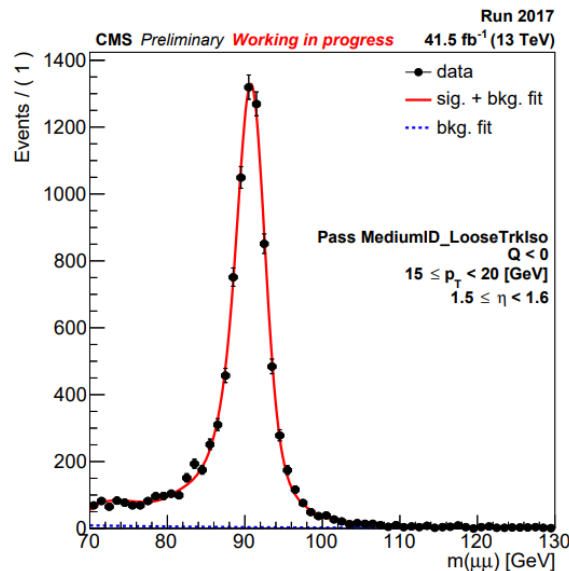


$138 \text{ fb}^{-1} \times 2 \text{ nb} = 276\text{M events}$
Acceptance = 44%

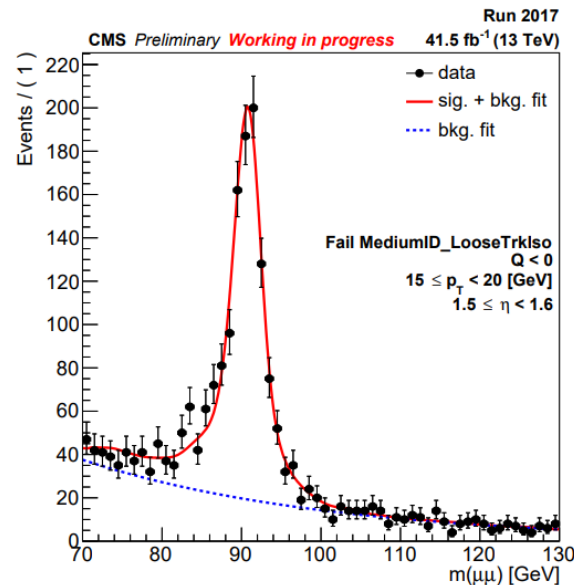
$\mu\mu = 101\text{M events}$
 $ee = 55\text{M events}$

Differential AFB Efficiency Correction

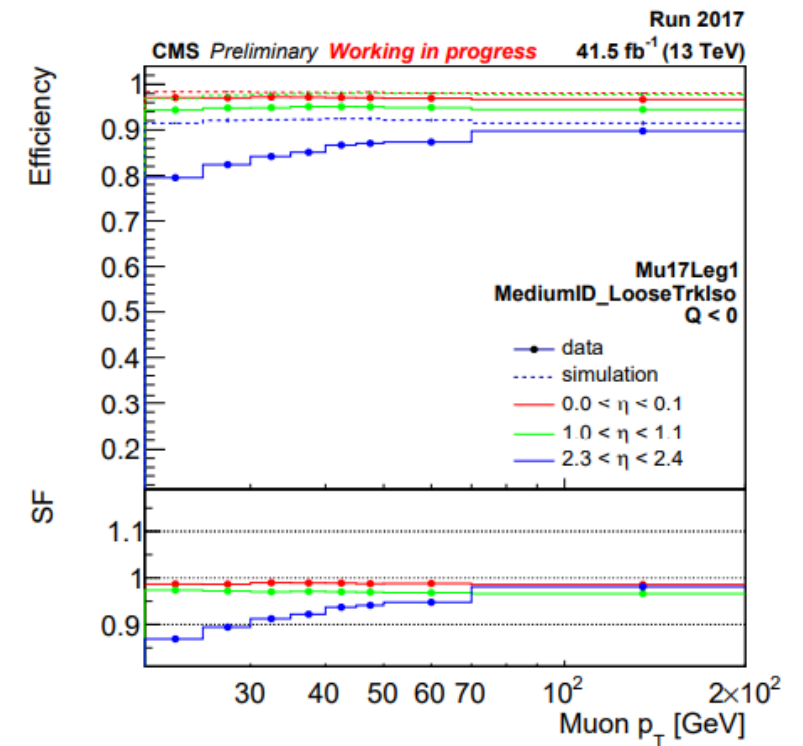
- Efficiency measurement using **the tag and probe method**
 - Low background in Z boson resonance
 - **Tag lepton**: Tight ID to be genuine lepton
 - **Probe lepton**: used to measure efficiencies
- Difference of efficiency btw data and simulation is corrected by applying **scale factor** on simulation



Events with passing probe



Events with failing probe

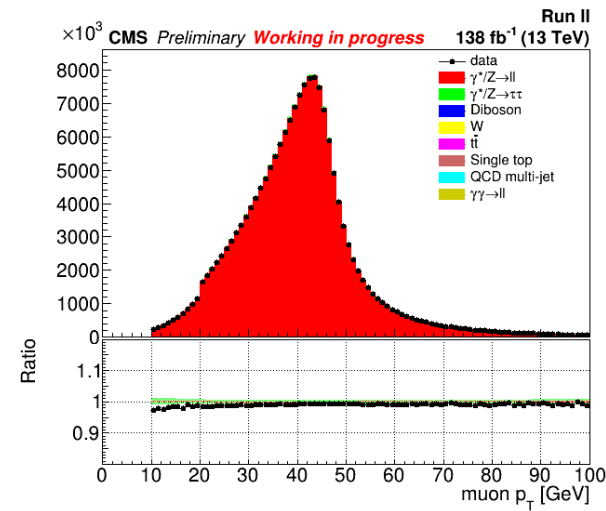
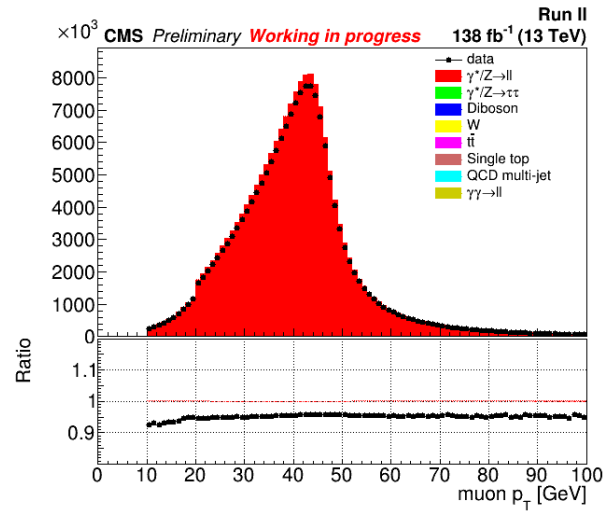


Differential AFB Efficiency Correction

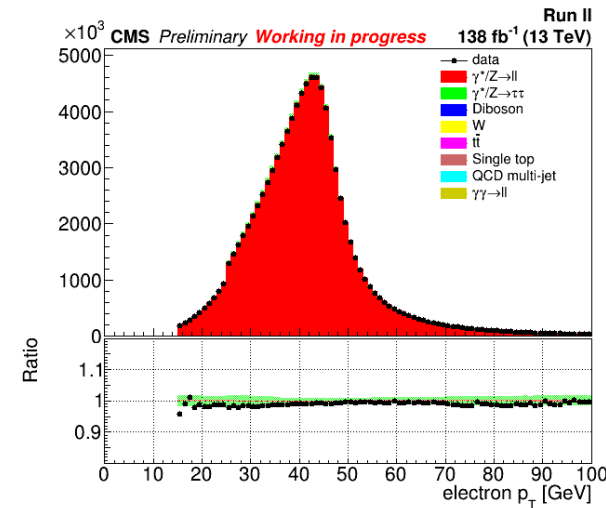
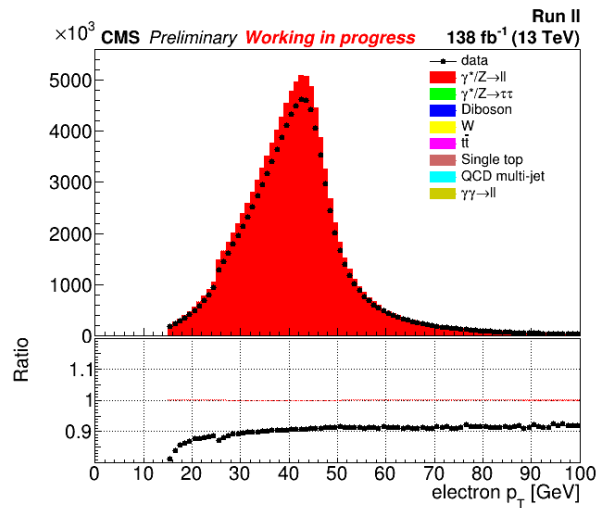
Before efficiency correction

After efficiency correction

$\mu\mu$



ee

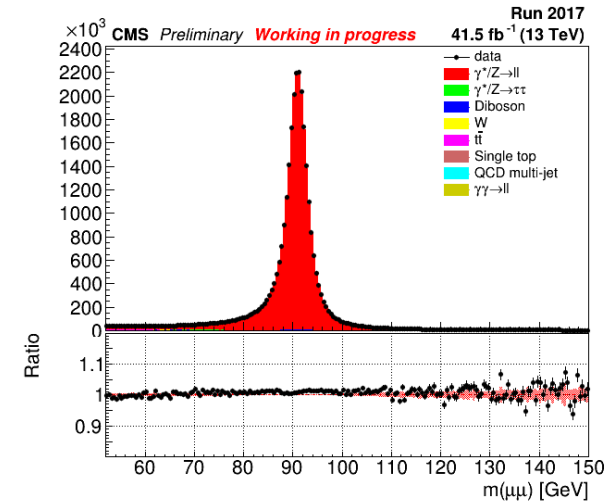
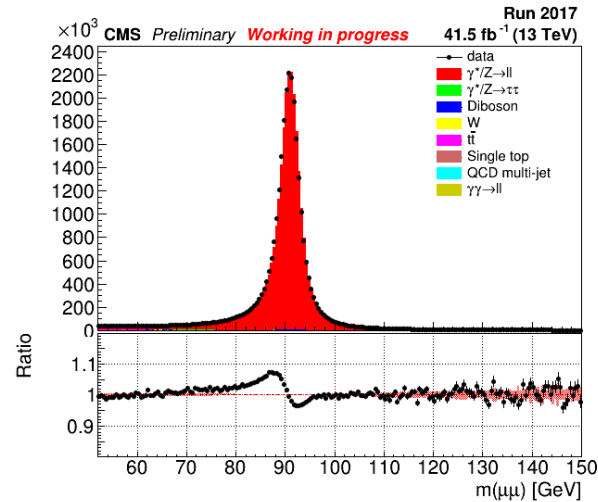


Differential AFB Lepton energy/momentum calibration

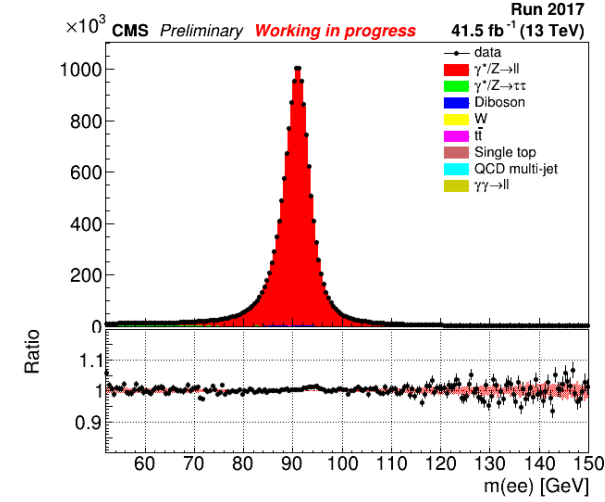
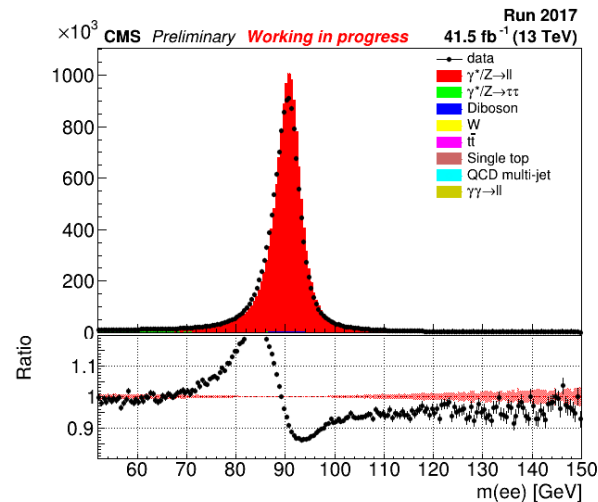
Before calibration

After calibration

$\mu\mu$

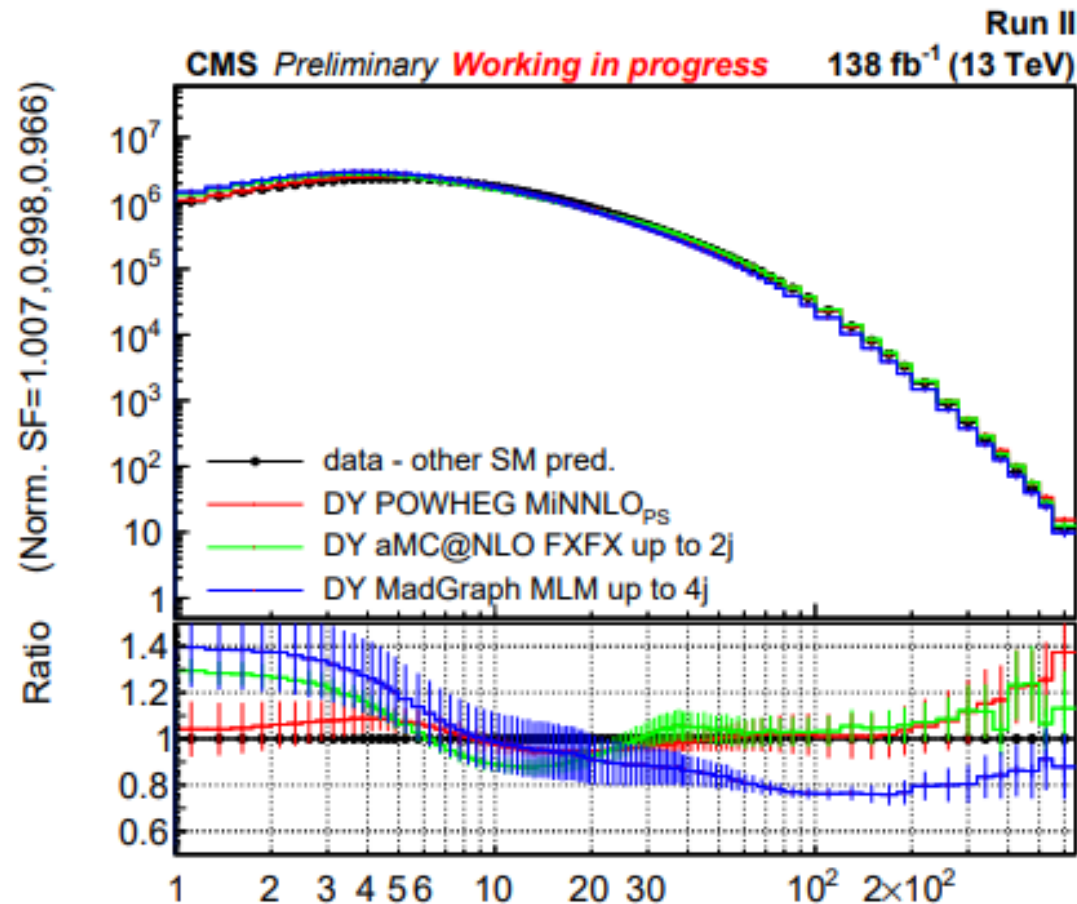


ee



Differential AFB $Z p_T$ reweight

- Higher order contribution on $Z p_T$ distribution is not negligible
- Not easy to predict

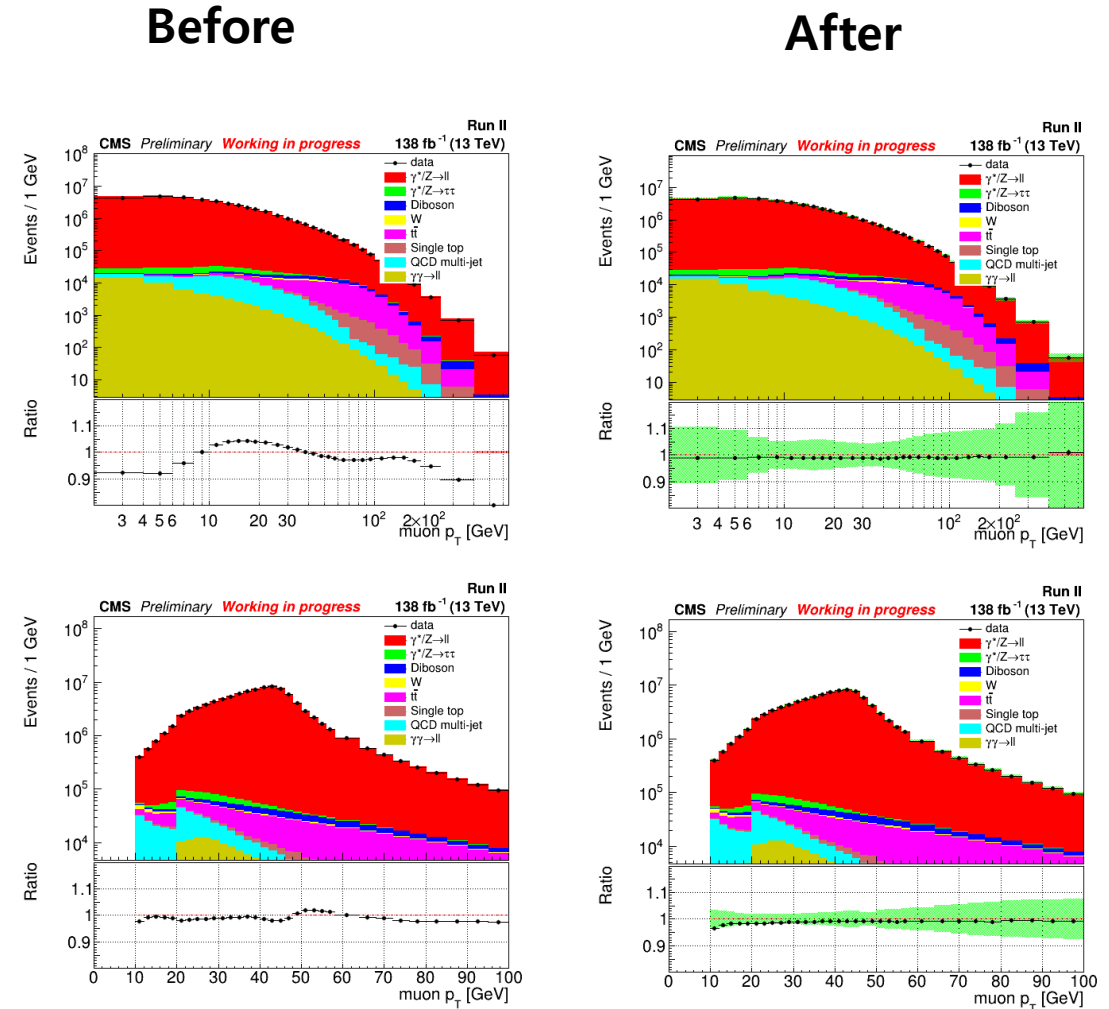


Differential AFB $Z p_T$ reweight

➤ DY simulation is reweighted to match with data

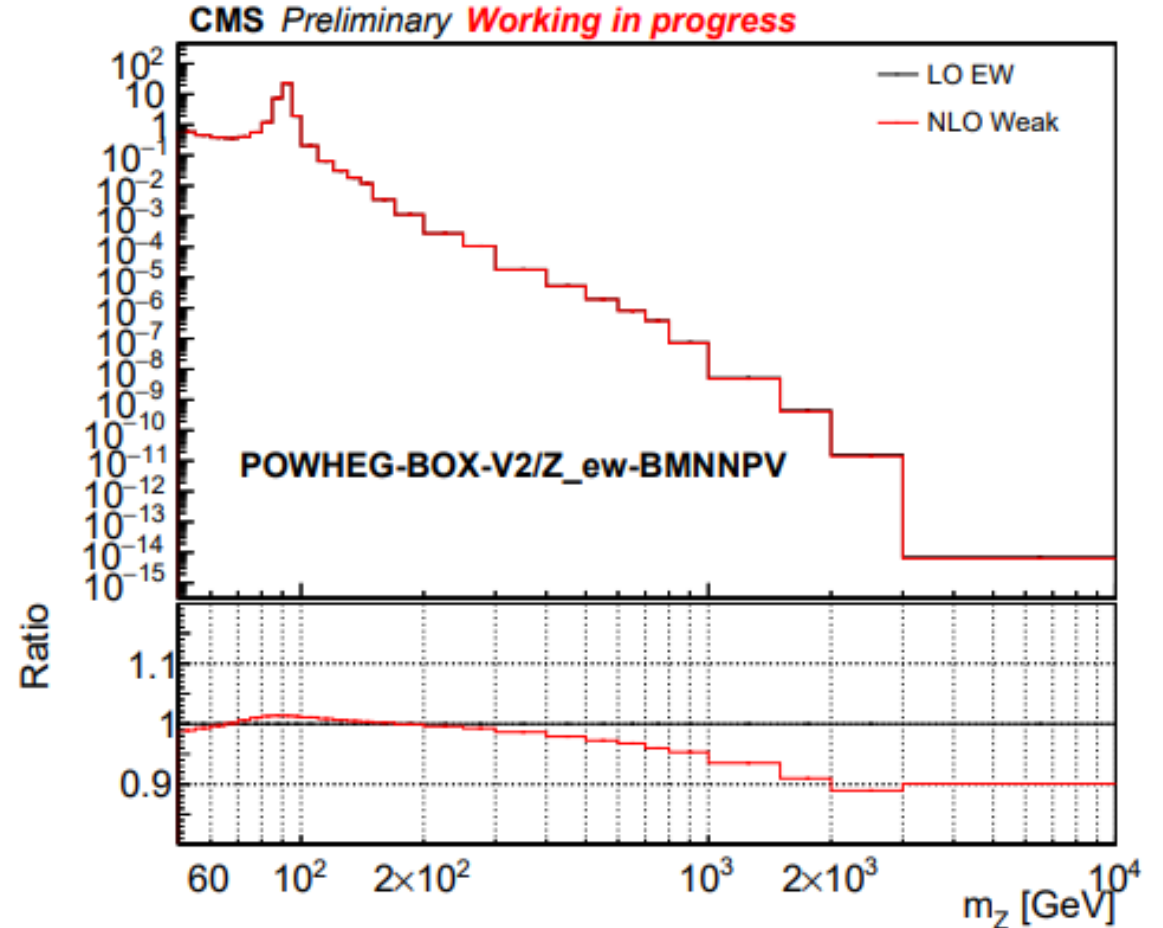
- reweight at generator level
- era-independent correction
- channel-independent correction

$p_T(\mu\mu)$



Differential AFB NLO weak virtual correction

- DY simulation:
 - QCD NNLO
 - + Parton shower
 - + QED NLO
- No weak higher order correction
- NLO/LO k-factor for weak interaction is applied
 - non-negligible effect at high mass



Differential AFB Kinematic distribution

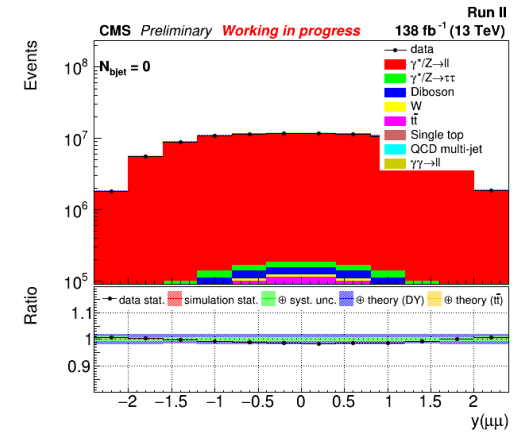
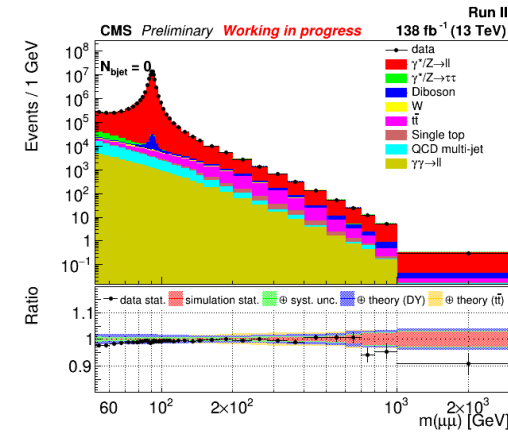
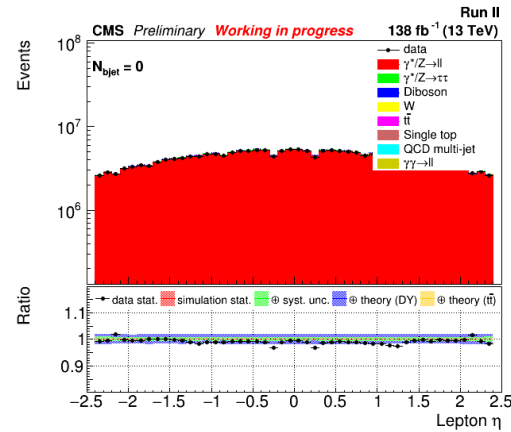
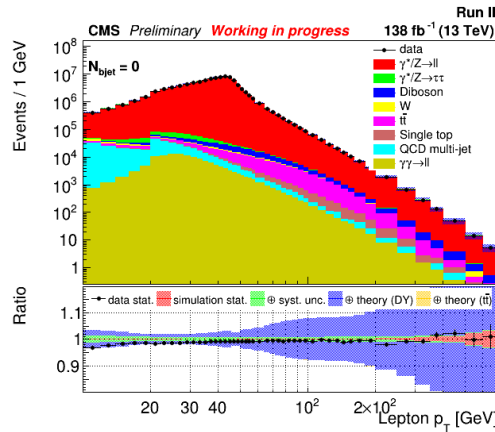
Lepton p_T

Lepton η

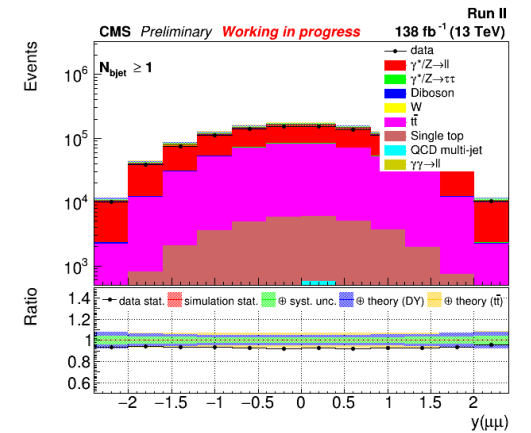
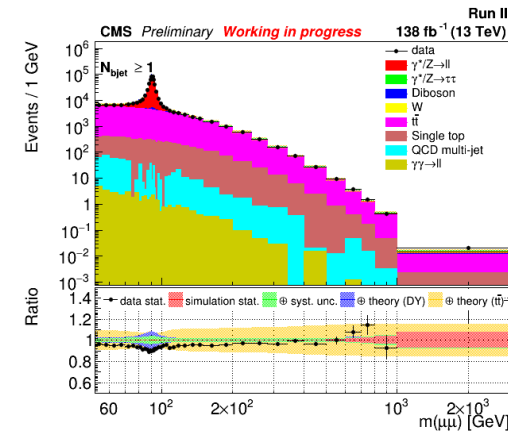
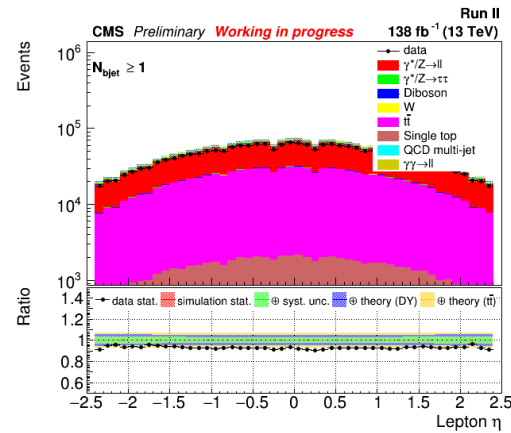
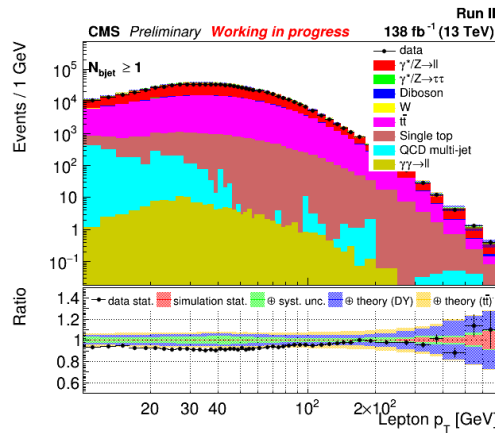
Dilepton mass

Dilepton y

$N_b = 0$



$N_b > 0$



➤ Currently working on understanding disagreement at $N_b > 0$ region

$\sin^2 \theta_{eff}^l$ measurement with inclusive DY events

➤ A_{FB} near Z pole is sensitive to $\sin^2 \theta_{eff}^l$

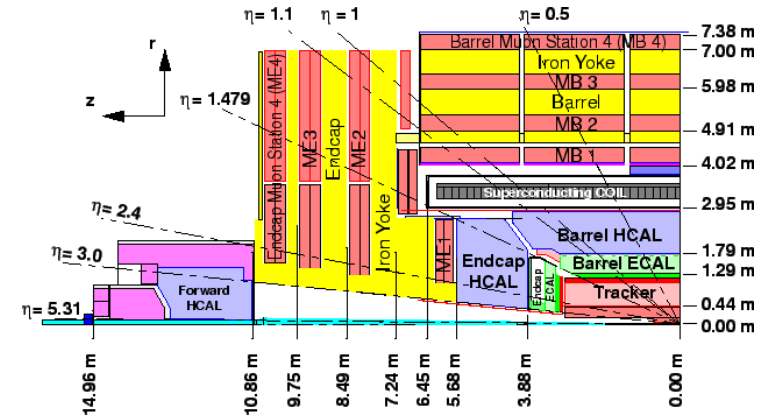
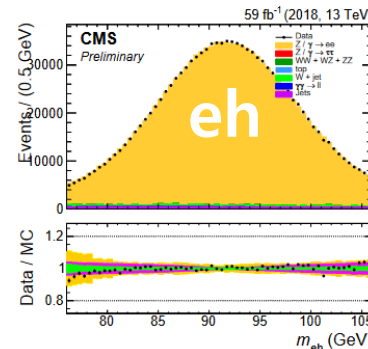
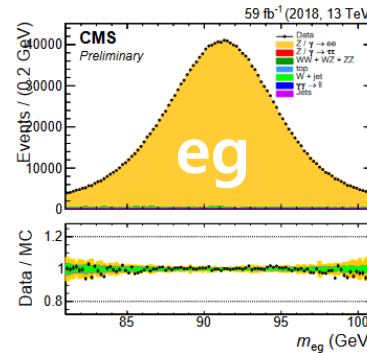
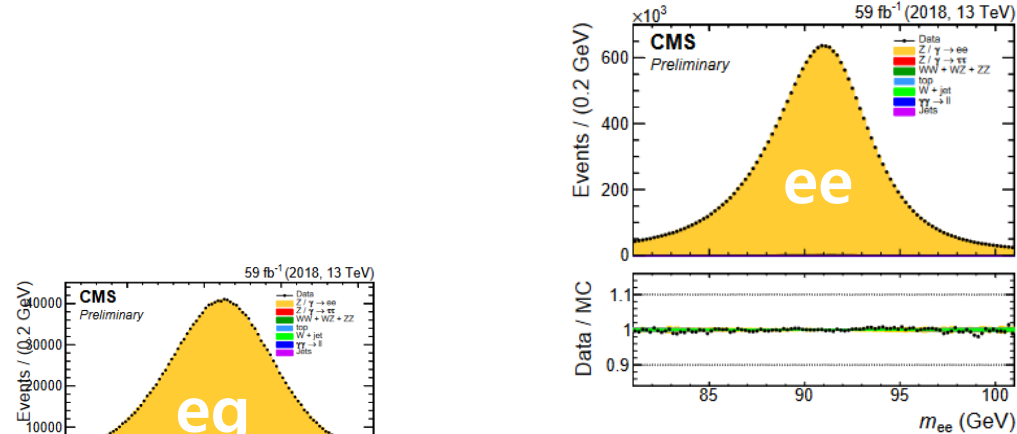
→ Measure $\sin^2 \theta_{eff}^l$ using A_{FB}

➤ Using Run1 (8TeV, 19 fb^{-1}) + Run2 (13TeV, 138 fb^{-1})

➤ Exploit forward detectors

- **e**: ECAL+tracker ($|\eta| < 2.5$)
- **g**: ECAL ($2.5 < |\eta| < 2.87$)
- **h**: forward HCAL ($3.14 < |\eta| < 4.36$)

→ more high rapidity and high $\cos \theta_{CS}$ events
which are more sensitive to mixing angle

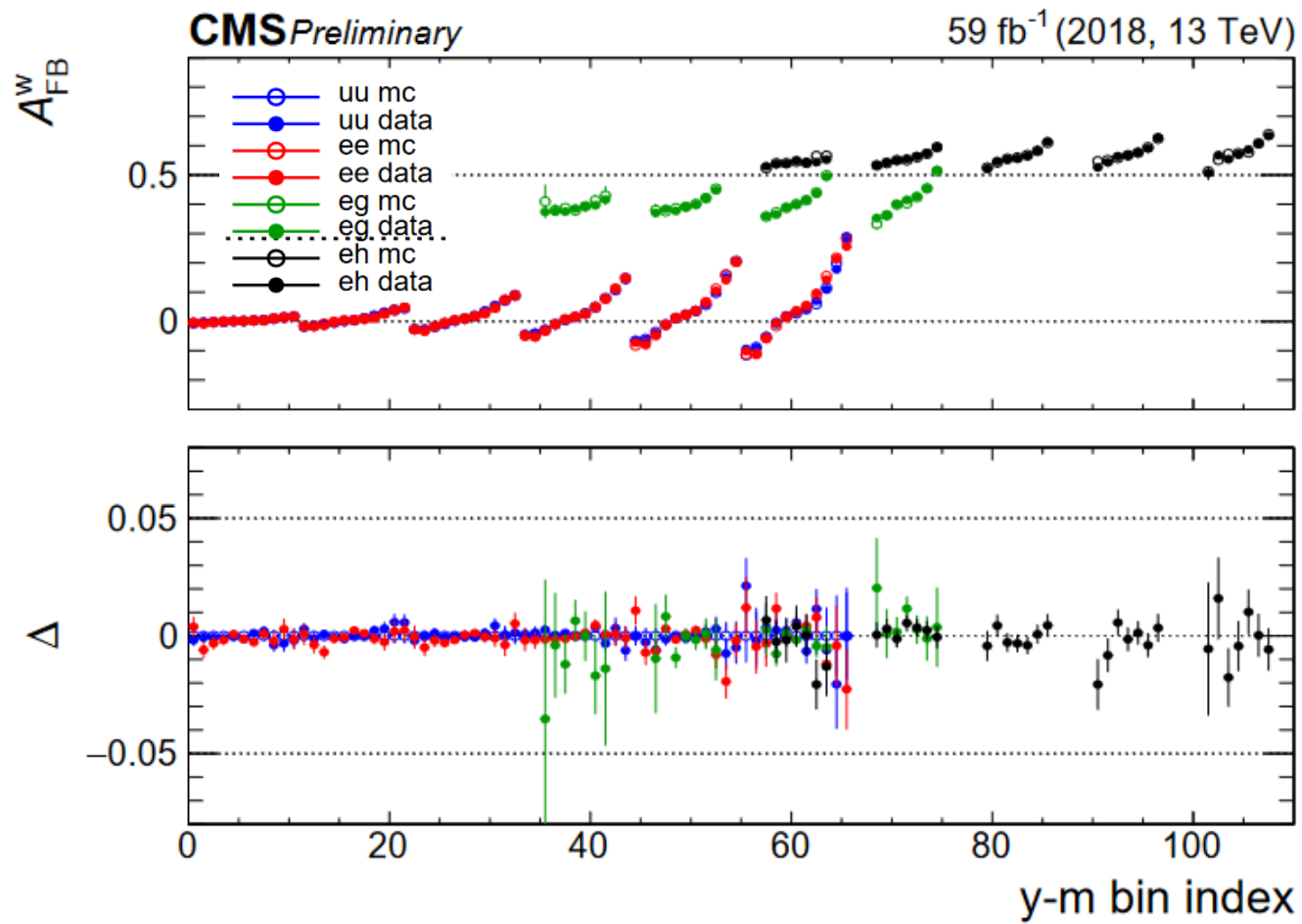


Channel	$ \eta $		$\min p_{\text{T}}^{\text{lead}}$ (GeV)	$\min p_{\text{T}}^{\text{trail}}$ (GeV)
$\mu\mu$	[0.00 – 2.40]		20	10
ee	[0.00 – 2.50]		25	15

Channel	$ \eta_e $	$ \eta_{g,h} $	$\min p_{\text{T}}^e$ (GeV)	$\min p_{\text{T}}^{g,h}$ (GeV)
eg	[0.00 – 2.50]	2.50 – 2.87	30 (35 in 2018)	20
eh	[1.57 – 2.50]	3.14 – 4.36	30 (35 in 2018)	20

$\sin^2 \theta_{eff}^l$ measurement

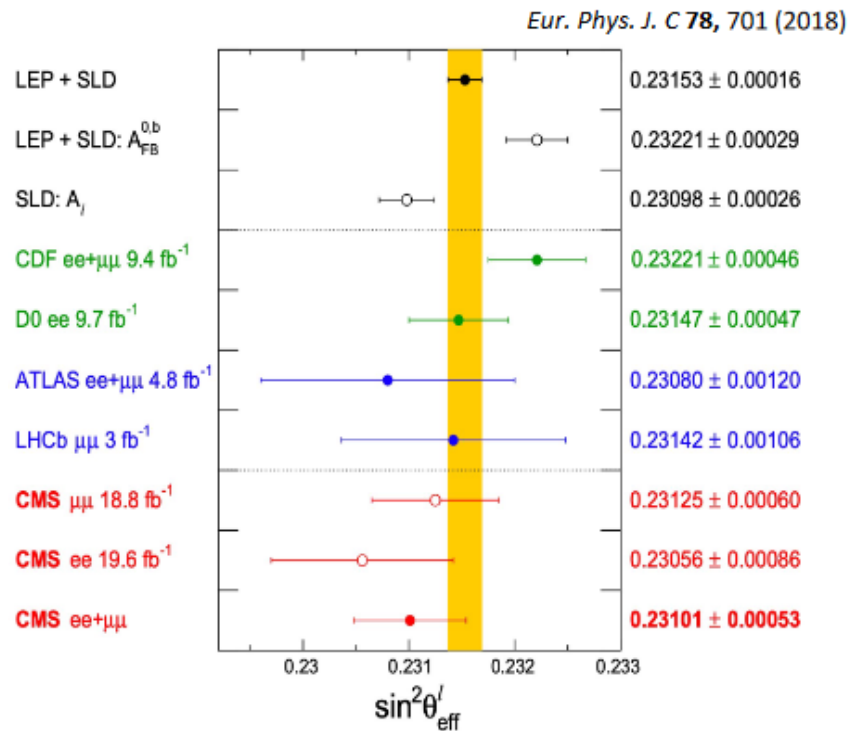
A_{FB}



values are shifted for blinding

$\sin^2 \theta_{eff}^l$ measurement Expected result

Previous measurements



This study

Run	ch	χ^2	nb	$\sin^2 \theta_{eff}^l \pm \sigma$	stat	exp	theo	pdf
R1	uu	52.0	66	103045 ± 58	41	29	4	28
R1	ee	55.2	66	103143 ± 73	53	40	5	30
16a	uu	66.2	66	665690 ± 67	46	32	9	35
16a	ee	67.5	66	665747 ± 82	61	40	8	37
16b	uu	59.4	66	665560 ± 72	49	39	9	35
16b	ee	53.3	66	665719 ± 90	65	48	7	39
17	uu	63.5	66	665708 ± 51	31	26	9	30
17	ee	69.2	66	665644 ± 60	41	28	8	32
18	uu	51.6	66	665672 ± 46	26	22	9	29
18	ee	73.5	66	665718 ± 50	33	23	8	30

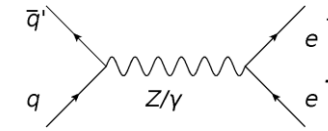
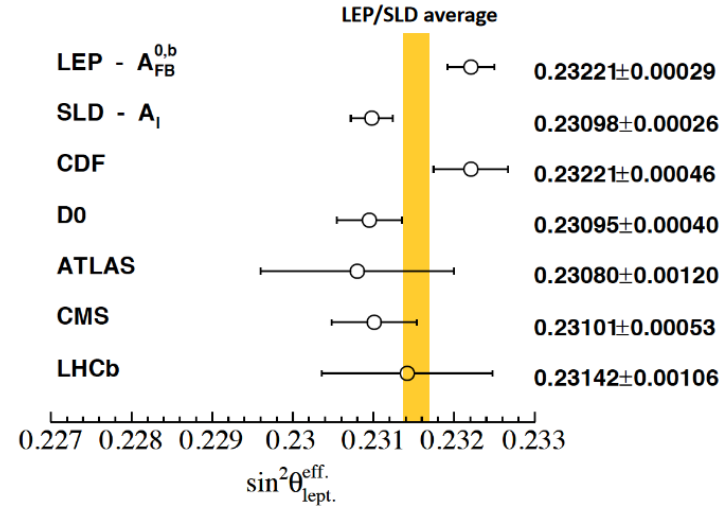
Run	ch	χ^2	nb	$\sin^2 \theta_{eff}^l \pm \sigma$	stat	exp	theo	pdf
16a	eg	27.7	28	762081 ± 154	116	93	6	42
16b	eg	17.1	28	761981 ± 164	122	101	7	45
17	eg	19.7	28	762022 ± 94	62	58	8	39
18	eg	19.9	28	761838 ± 81	47	52	9	39
16a	eh	20.8	35	895456 ± 81	52	57	6	25
16b	eh	29.1	35	895397 ± 95	63	66	6	25
17	eh	35.5	35	895536 ± 67	35	50	7	27
18	eh	24.6	35	895430 ± 60	31	44	8	26

$$\sin^2 \theta_{eff}^l = 0.2???? \pm 0.00024.$$

$\sin^2 \theta_{eff}^l$ measurement with DY+bjet events

➤ Two most significant measurements

- LEP $ee \rightarrow bb$
- SLD $ee \rightarrow ll$
- 3 sigma deviation



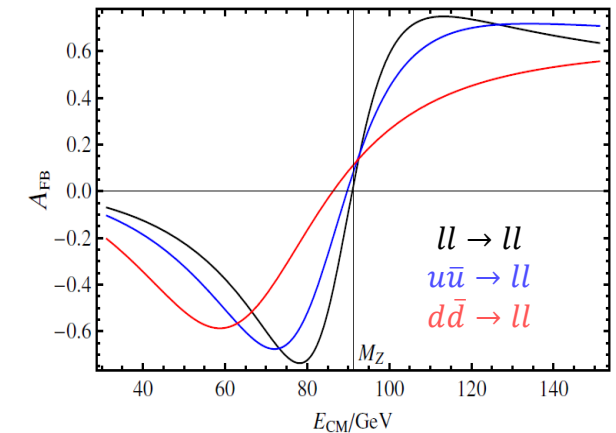
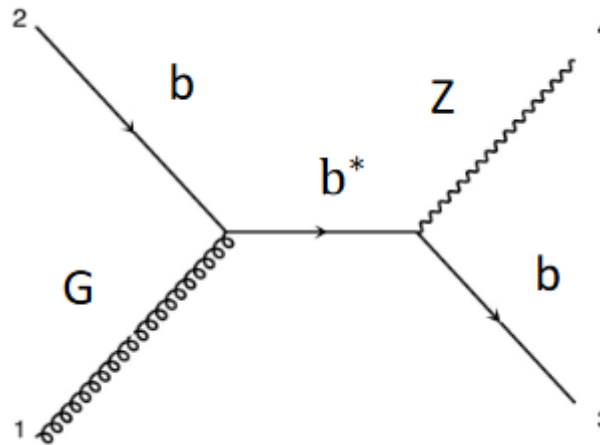
$$A_{FB}^0 = \frac{3}{4} A_f A_{f'}$$

	A_f	$\frac{\partial A_f}{\partial \sin^2 \theta}$
u	0.67	-3.5
d	0.94	-0.6
l	0.14	-7.9
ν	1.00	0.0

A_{FB} with b at CMS?

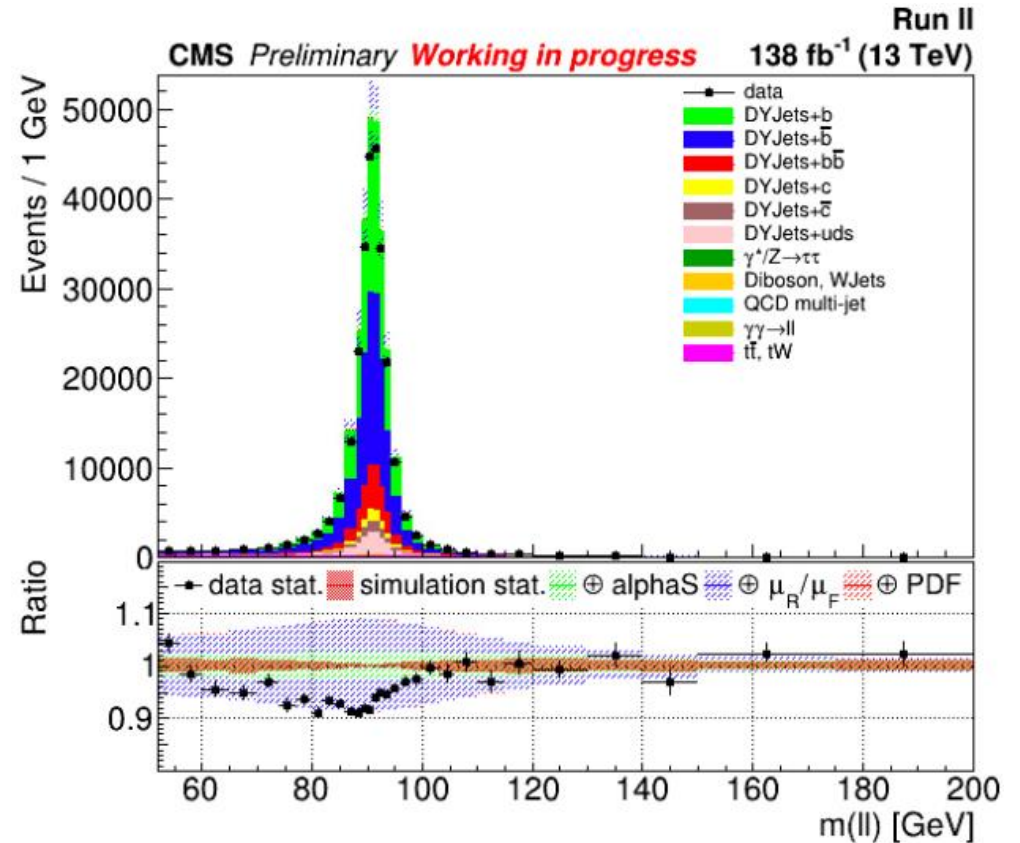
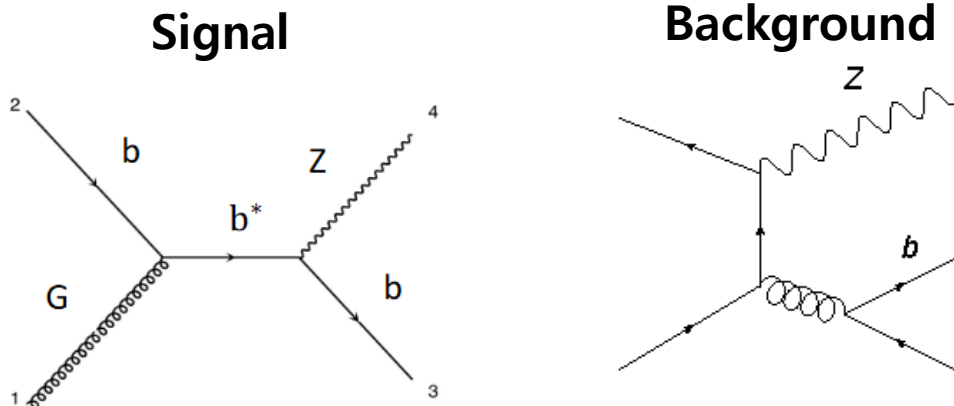
➤ Challenges

- DY+bjet event selection
- AFB dilution due to high Z pT
- bjet charge determination



$\sin^2 \theta_{eff}^l$ measurement with DY+bjet events DY+bjet event selection

- 1 tight bjet with $p_T > 30$ GeV
- Veto additional loose bjet or cjet with $p_T > 20$ GeV
- Veto additional jet with $p_T > 30$ GeV
- $|\Delta\phi(Z, b)| > 1.6$
- $p_T(Z) > 15$ GeV
- $p_T(Z + b) < 60$ GeV
- Missing $E_T < 75$ GeV

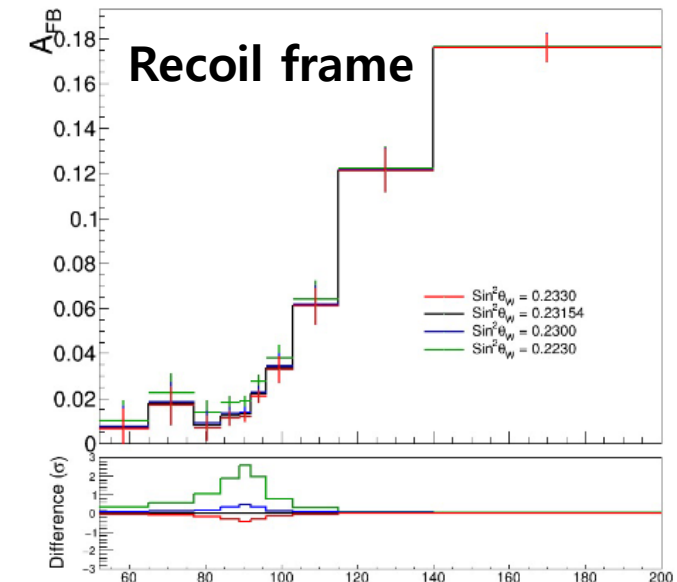
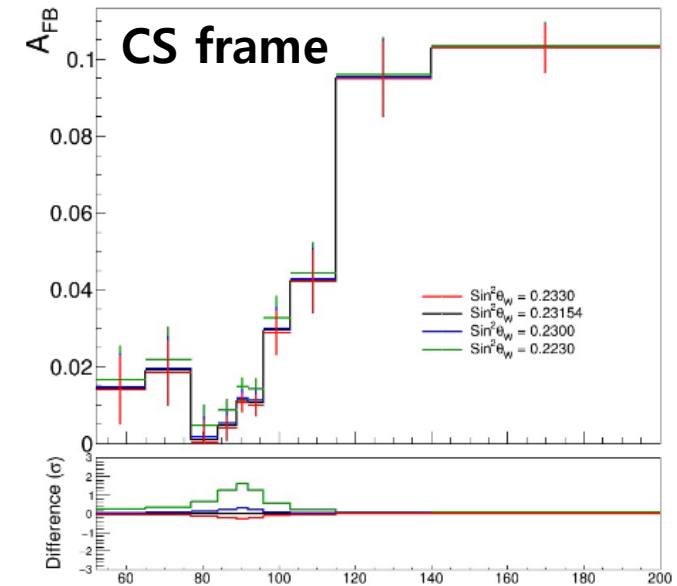
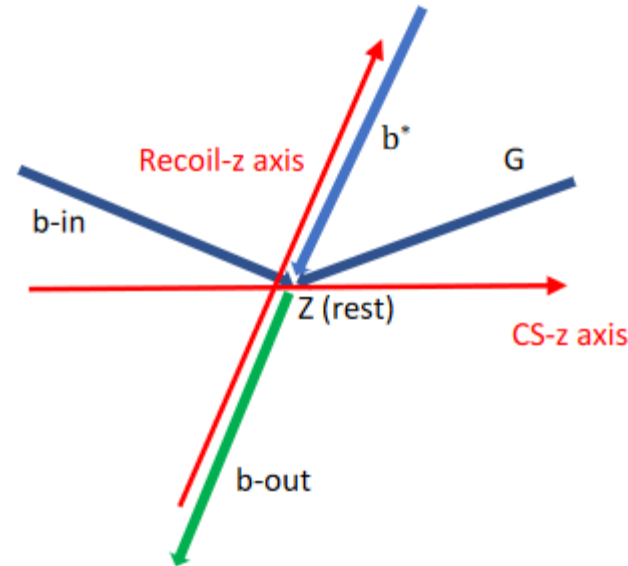
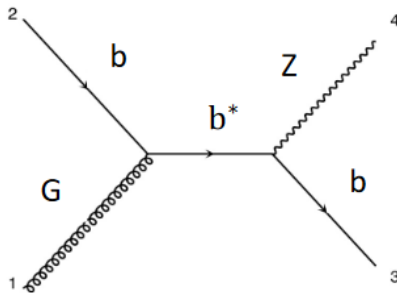


Purity ~ 74%

$\sin^2 \theta_{eff}^l$ measurement with DY+bjet events

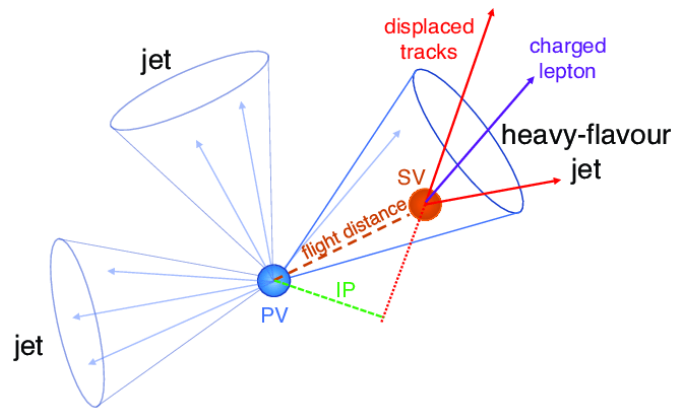
Recoil frame

- CS frame: use bisector of proton axes
 - usual frame for AFB
 - dilution at high Z p_T region
- Recoil frame: use bjet axis
 - exploit bjet information
 - Needs good bjet charge determination

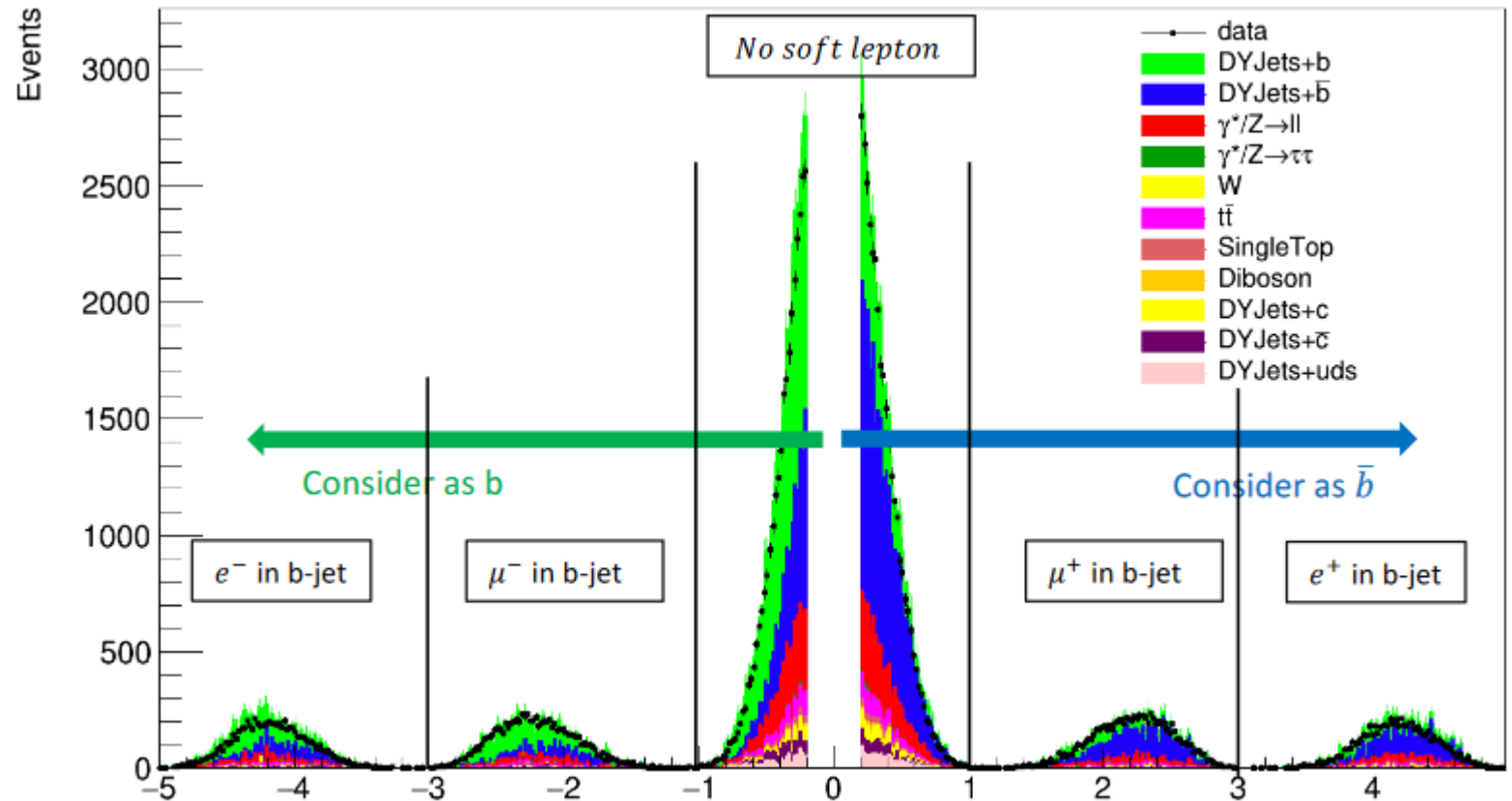


Recoil frame shows better sensitivity in this analysis

$\sin^2 \theta_{eff}^l$ measurement with DY+bjet events bjet charge determination



- Soft lepton charge
 - Use soft lepton from b hadron decay
- p_T weighted jet charge



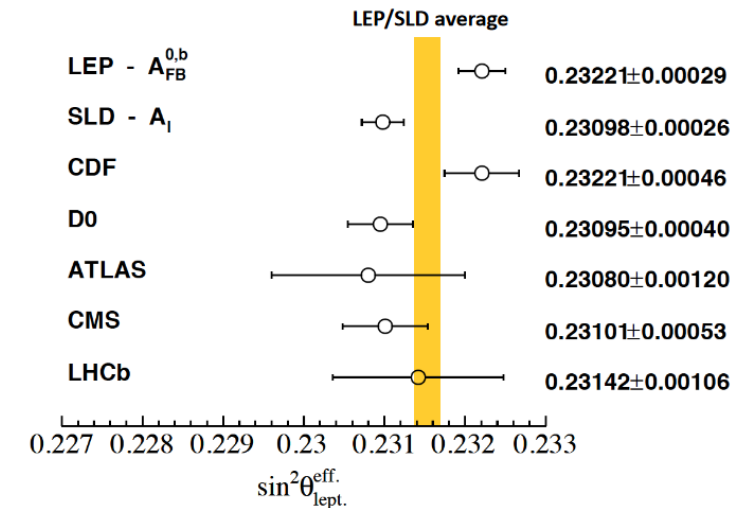
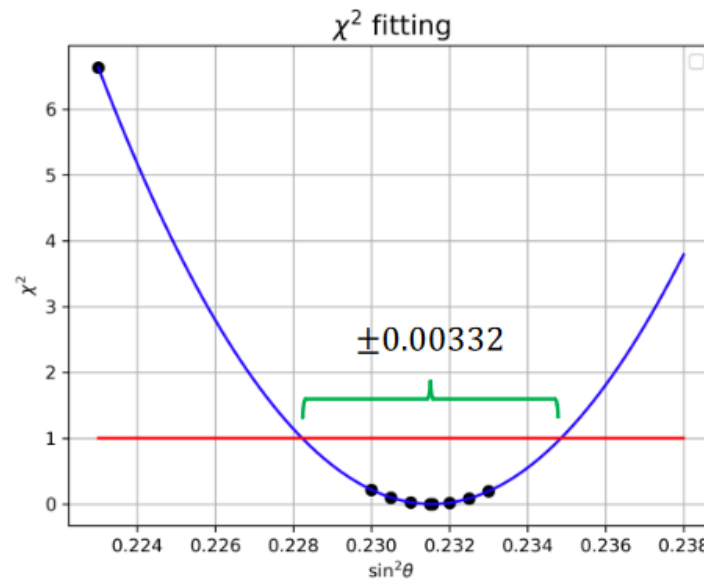
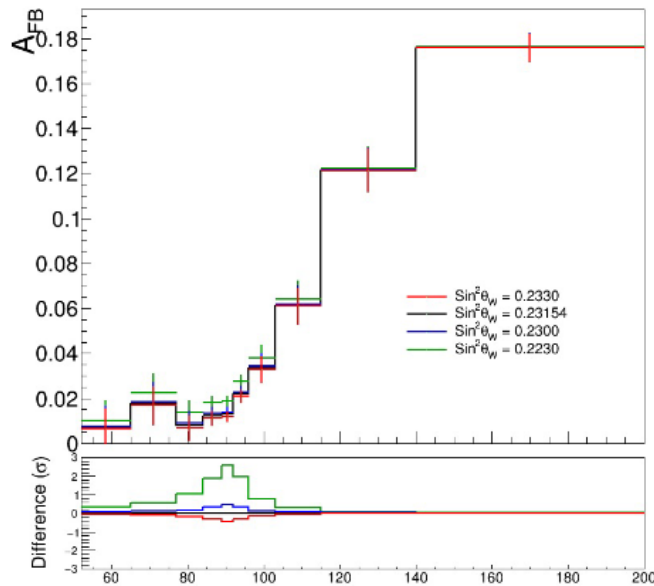
efficiency: 61%
charge-misID: 30%

$\sin^2 \theta_{eff}^l$ measurement with DY+bjet events

Sensitivity

➤ Very rough estimation

➤ $\sin^2 \theta_{eff}^l \sim 0.2???? \pm 0.00332$ (Run2)



Its sensitivity is much less than previous measurements, but

- First A_{FB} measurement with Zbb vertex at hadron collider
- First A_{FB} measurement using the recoil frame

Summary

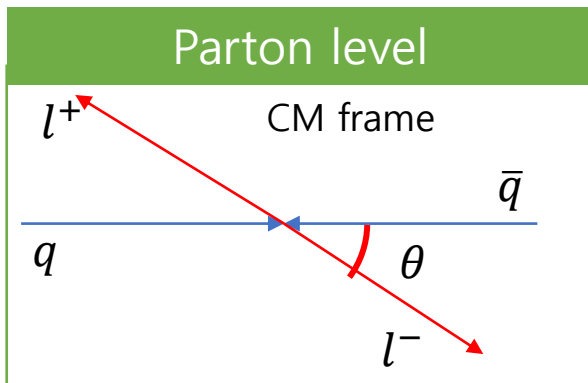
- Differential AFB with and without bjet
- $\sin^2 \theta_{eff}^l$ measurement with inclusive DY events
 - $\sin^2 \theta_{eff}^l = 0.2???? \pm 0.00024$
- $\sin^2 \theta_{eff}^l$ measurement with DY+bjet events
 - $\sin^2 \theta_{eff}^l \sim 0.2???? \pm 0.00332$

Backup

➤ backup

Forward-backward Asymmetry (AFB)

➤ Definition of A_{FB}



θ : Angle btw incoming and outgoing particles

$\cos \theta > 0$, forward event (F)

$\cos \theta < 0$, backward event (B)

$$A_{FB} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B}$$

➤ If incoming and outgoing particles have **same helicity** → **forward** event is preferred

$$\sigma_{LL}, \sigma_{RR} \propto (1 + \cos \theta)^2$$

opposite helicity → **backward** event is preferred

$$\sigma_{LR}, \sigma_{RL} \propto (1 - \cos \theta)^2$$

due to angular momentum conservation

➤ Couplings of Z/γ^* to fermions

$$\begin{aligned} \mathcal{L} &= \bar{f}_L \gamma^\mu (T_3 g W_\mu^3 + g' Y_L B_\mu) f_L + g' Y_e \bar{f}_R \gamma^\mu B_\mu f_R \quad [\text{Before symmetry breaking}] \\ &= \bar{f}_L \gamma^\mu \left(T_3 g (Z_\mu \cos \theta_w + A_\mu \sin \theta_w) + g' Y_L (A_\mu \cos \theta_w - Z_\mu \sin \theta_w) \right) f_L + \\ &\quad g' Y_R \bar{f}_R \gamma^\mu (A_\mu \cos \theta_w - Z_\mu \sin \theta_w) f_R \quad [\text{After symmetry breaking}] \\ &= (T_3 g \cos \theta_w - Y_L g' \sin \theta_w) \bar{f}_L \gamma^\mu Z_\mu f_L - Y_R g' \sin \theta_w \bar{f}_R \gamma^\mu Z_\mu f_R \\ &\quad + (T_3 g \sin \theta_w + Y_L g' \cos \theta_w) \bar{f}_L \gamma^\mu A_\mu f_L + Y_R g' \cos \theta_w \bar{f}_R \gamma^\mu A_\mu f_R \end{aligned}$$

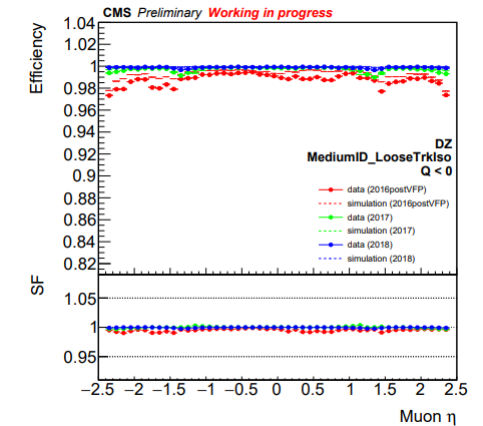
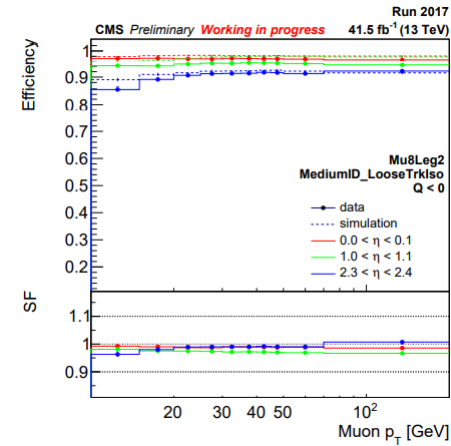
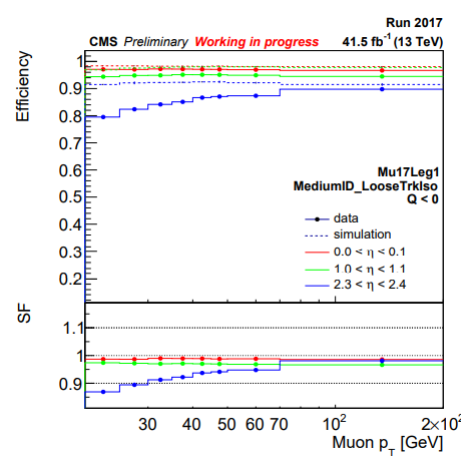
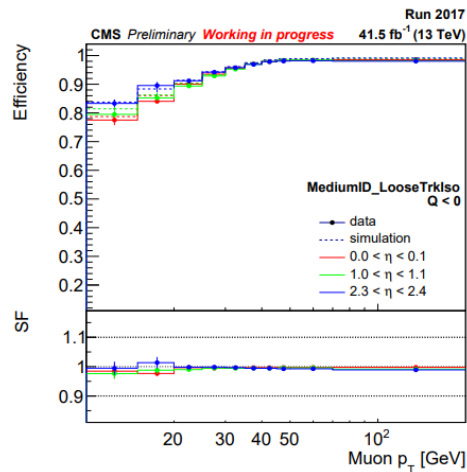
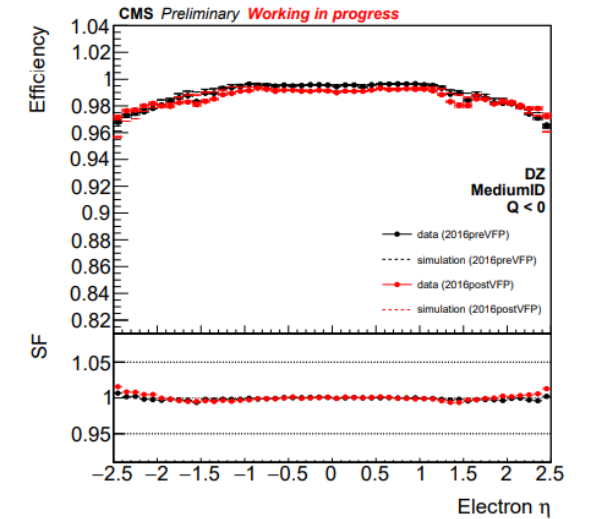
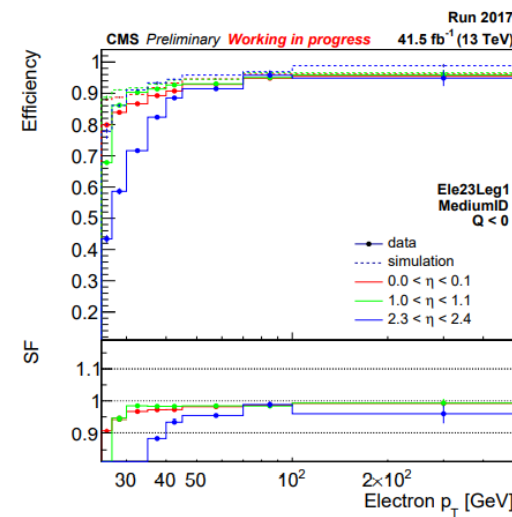
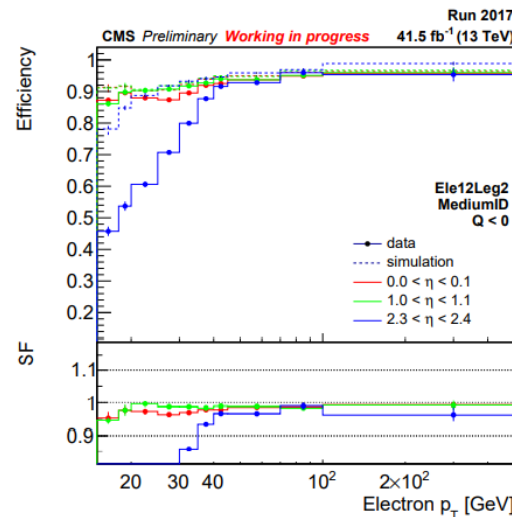
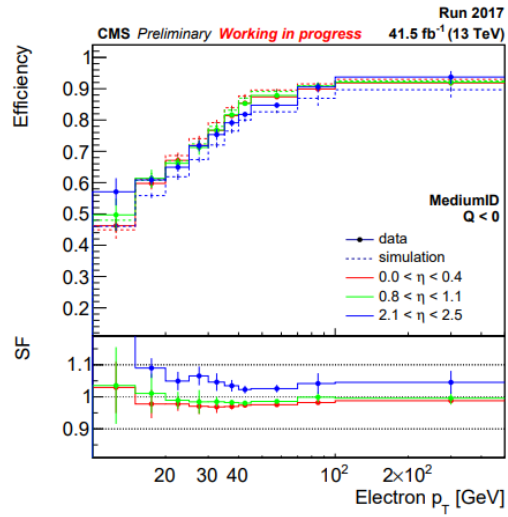
Coupling	Z_μ		A_μ	
	Left-handed	Right-handed	Left-handed	Right-handed
l	$-\frac{1}{2} \left(\frac{g}{g'} - \frac{g'}{g} \right) e$ $\approx -0.64e$	$\frac{g'}{g} e$ $\approx 0.55e$	$-e$	$-e$
ν	$\frac{1}{2} \left(\frac{g}{g'} + \frac{g'}{g} \right) e$ $\approx 1.19e$	0	0	0
u	$\left(\frac{g}{2g'} - \frac{g'}{6g} \right) e$ $\approx 0.82e$	$-\frac{2g'}{3g} e$ $\approx -0.36e$	$\frac{2}{3} e$	$\frac{2}{3} e$
d	$\left(-\frac{g}{2g'} - \frac{g'}{6g} \right) e$ $\approx -1.01e$	$\frac{g'}{3g} e$ $\approx 0.18e$	$-\frac{1}{3} e$	$-\frac{1}{3} e$

Differential AFB

Efficiency scale factor

- Charge dependent efficiency
- Fine eta binning ($\Delta\eta=0.1$)
- Method
 - ID efficiency: TnP fitting
 - HLT Leg efficiency: TnP counting
 - HLT DZ efficiency: dedicated method

Differential AFB Efficiency scale factor

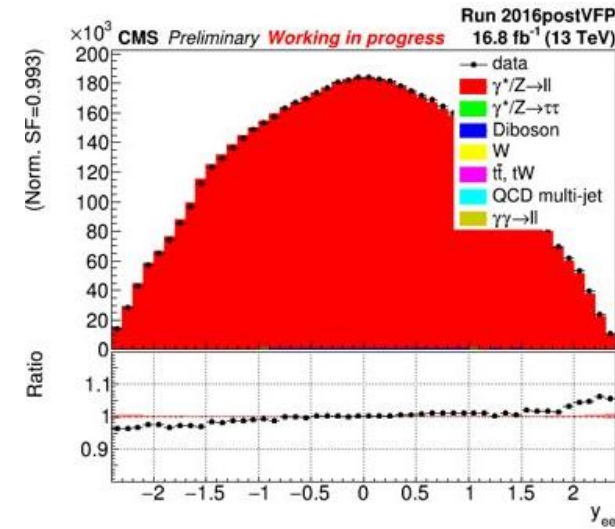
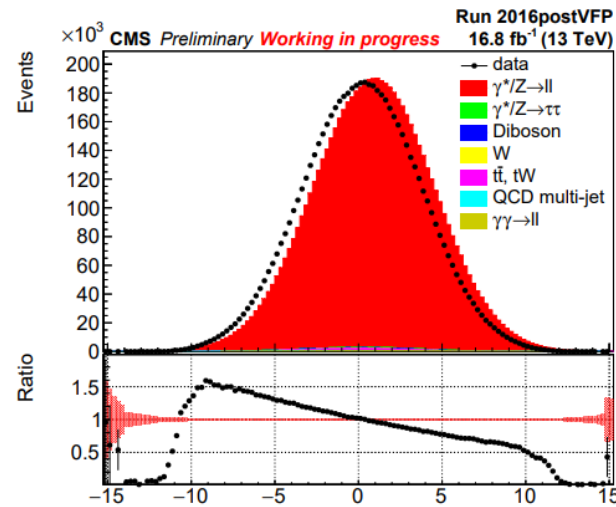


Differential AFB Vertex Z reweight

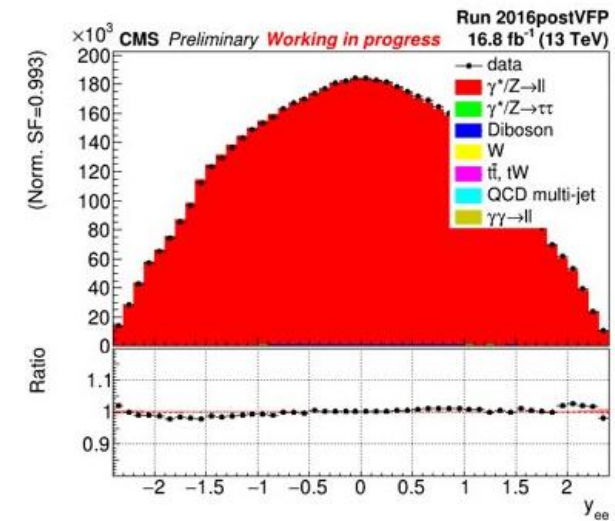
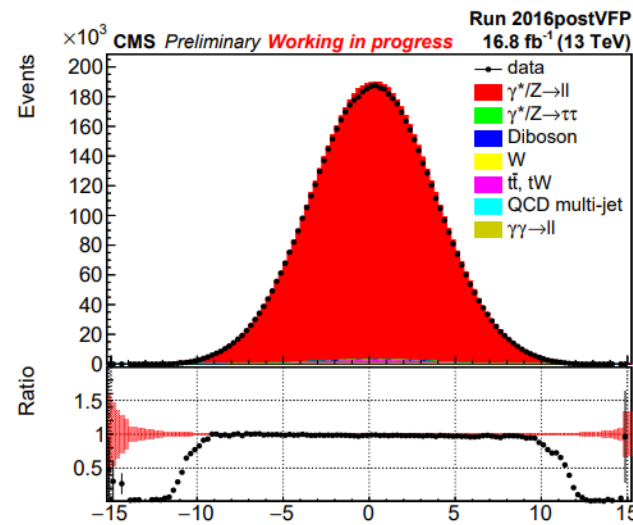
Vertex Z distribution

Dielectron rapidity (y) distribution

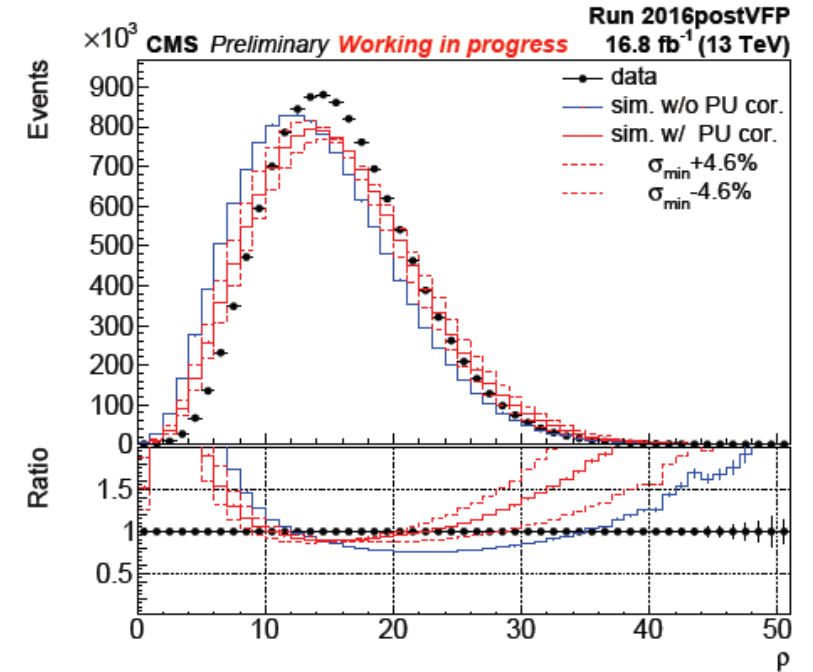
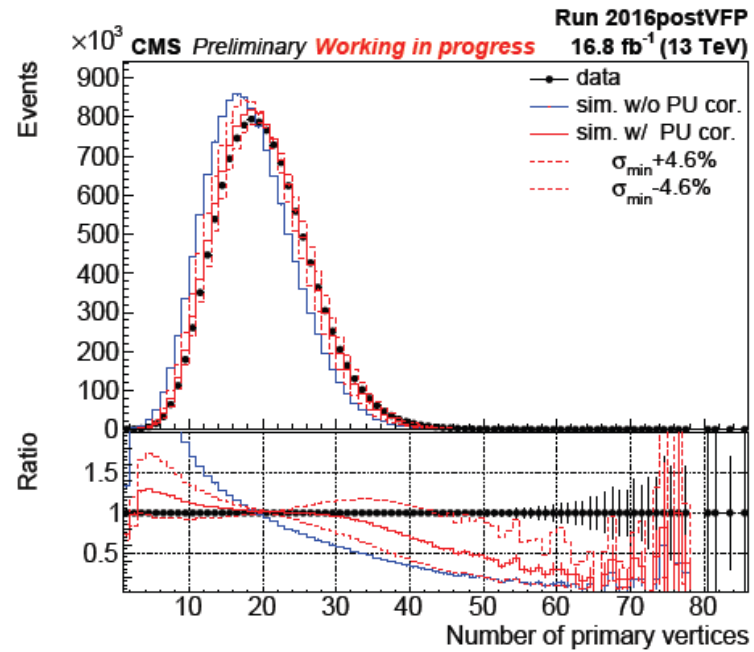
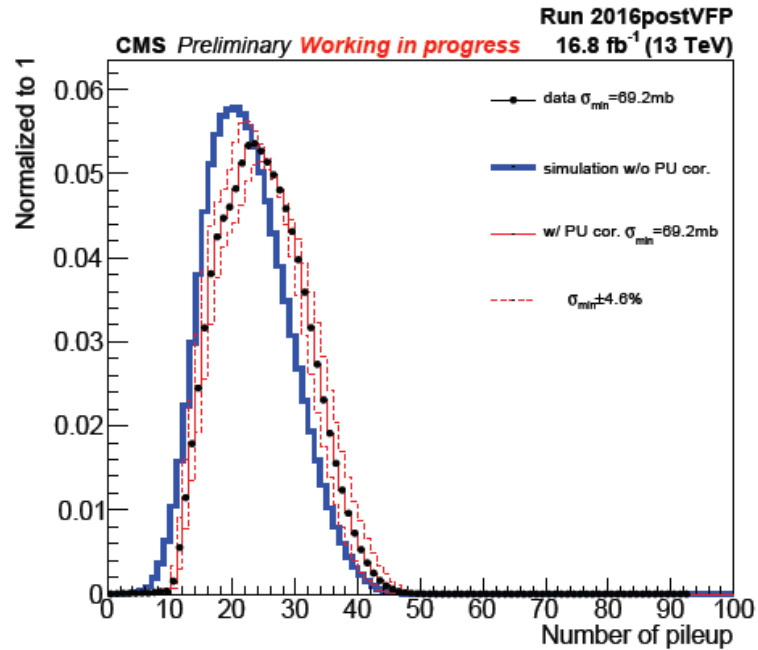
Before reweight



After reweight



Differential AFB Pileup correction

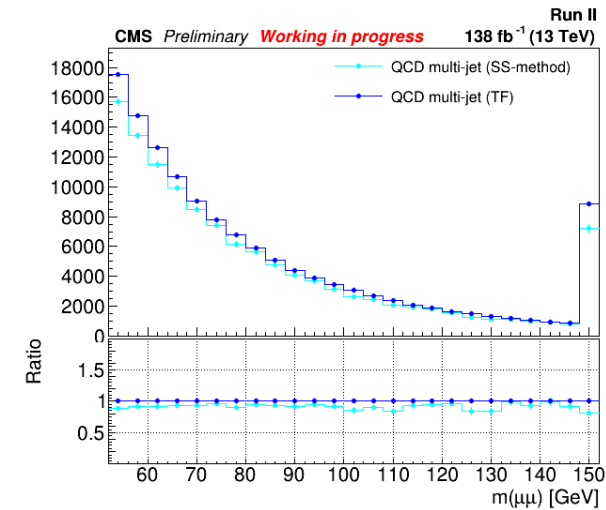
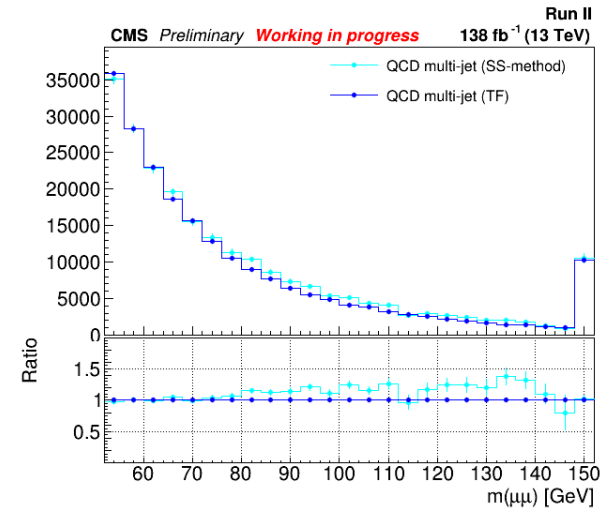


Differential AFB QCD estimation

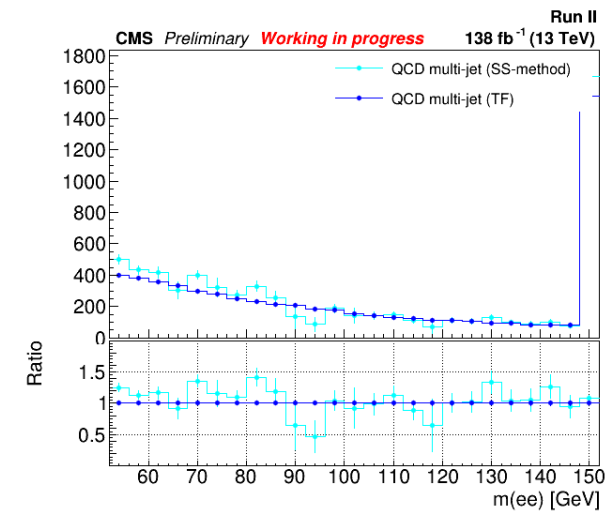
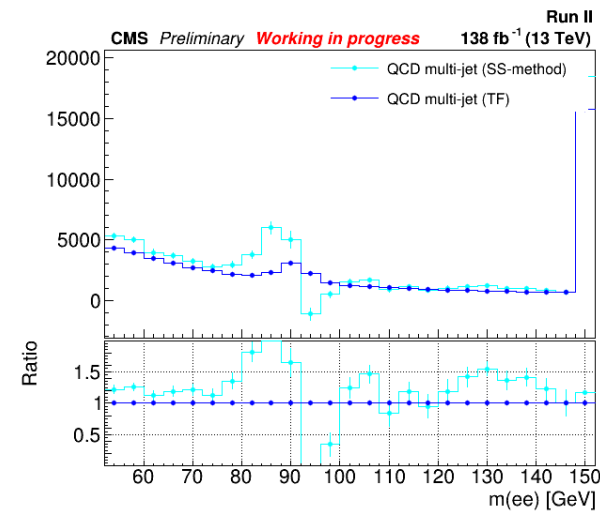
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nbjet

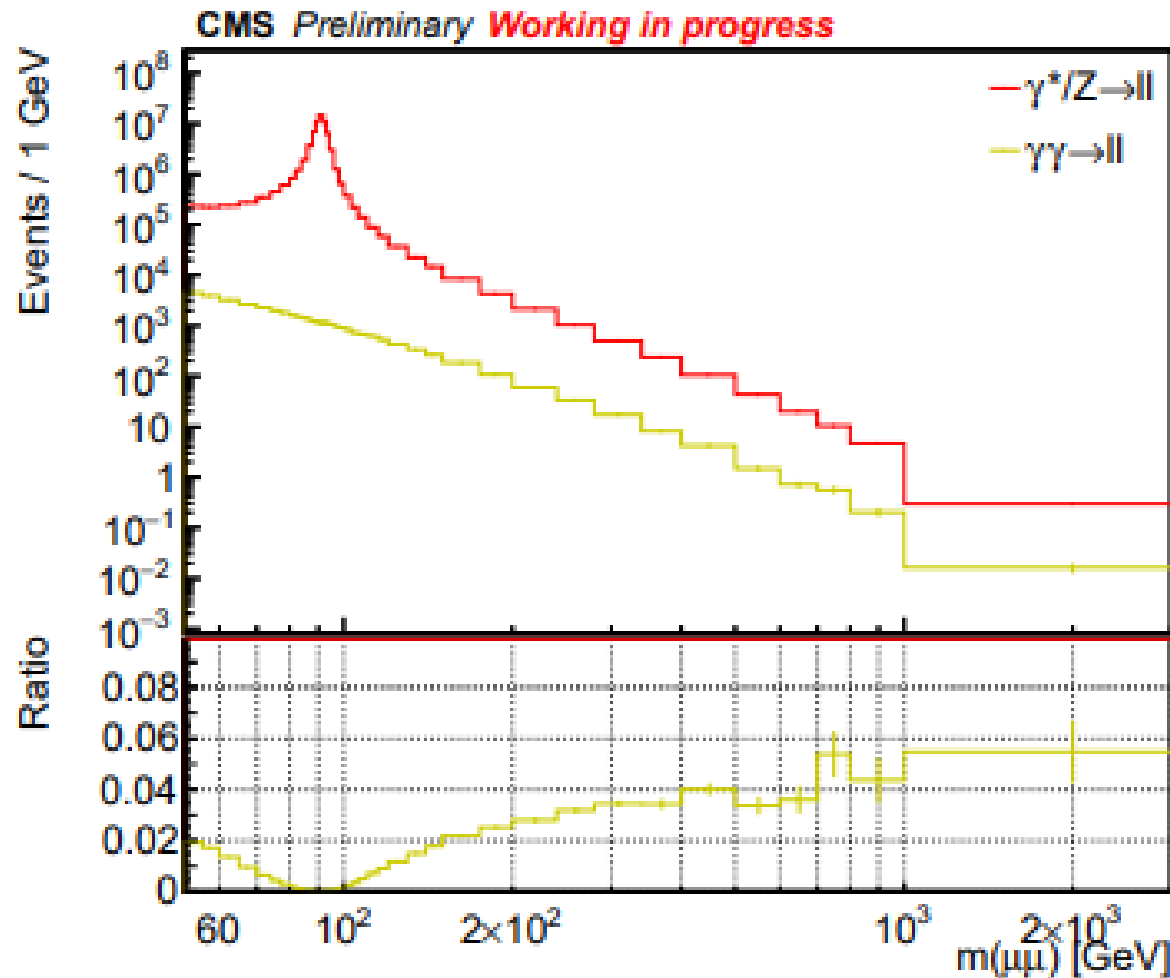
$\mu\mu$



ee



Differential AFB Photon-induced process



Differential AFB Kinematic distribution

